

Sémantique et compilation d'un langage synchrone fonctionnel à rafales

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Horloges Entières

Le langage

Un compilateur expérimental

Conclusion

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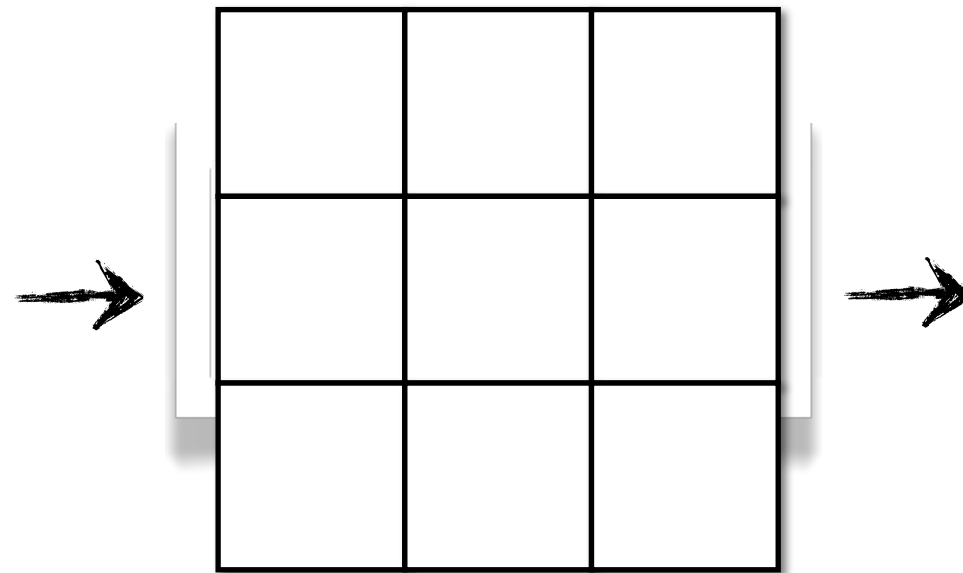
Parcours Zig-Zag JPEG



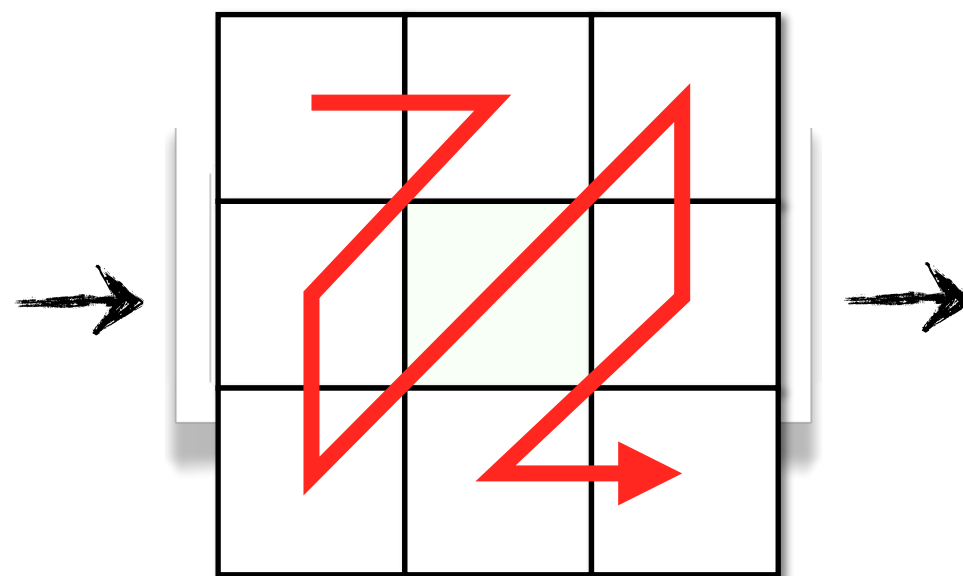
Parcours Zig-Zag JPEG



Parcours Zig-Zag JPEG



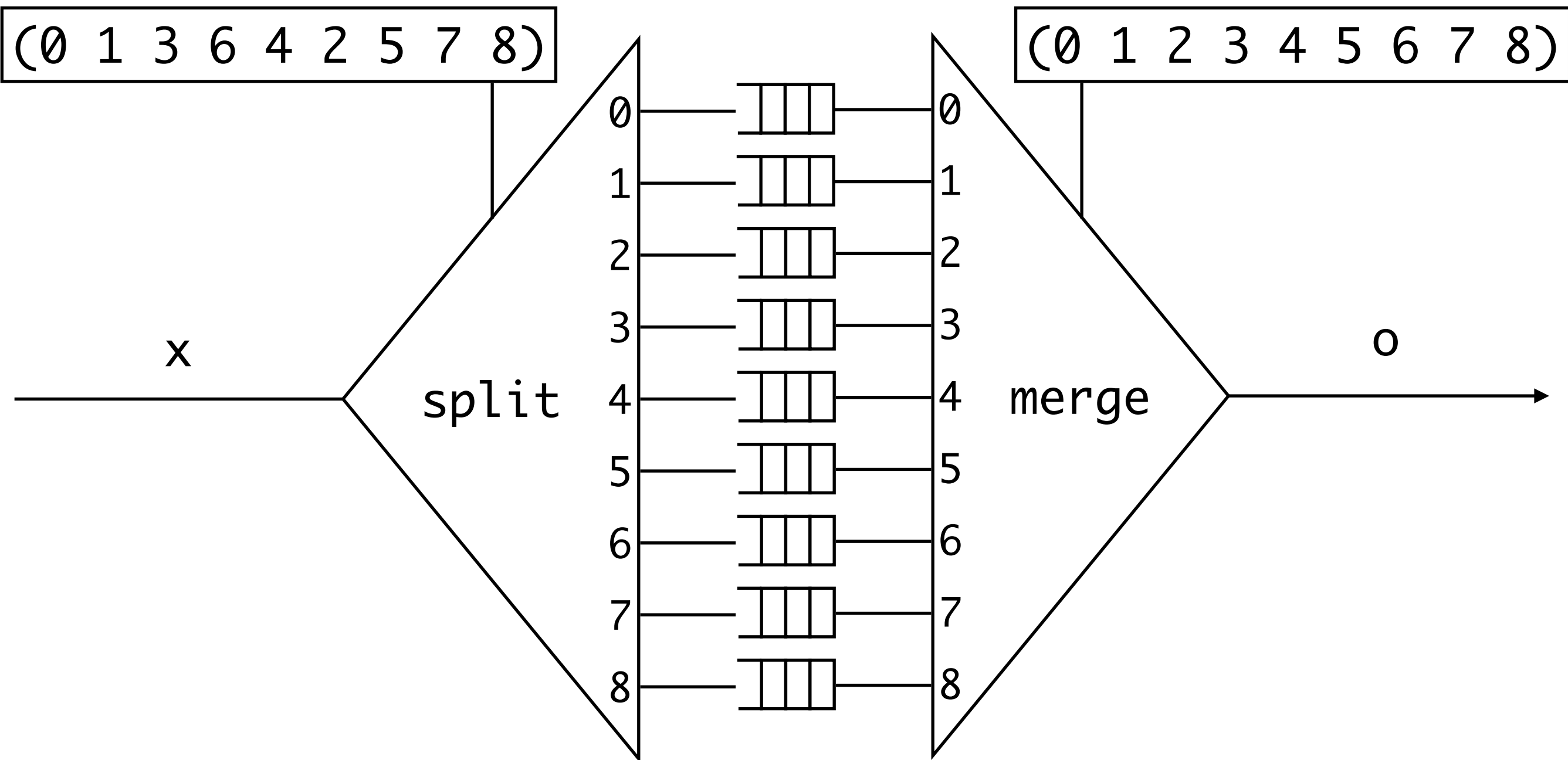
Parcours Zig-Zag JPEG



Parcours Zig-Zag JPEG



Parcours Zig-Zag JPEG, dataflow



Parcours Zig-Zag JPEG en AcidS

```
let node zigzag x = o where
  rec (x0, x1, x2, x3, x4, x5, x6, x7, x8)
    = split x
      with (0 1 3 6 4 2 5 7 8)
      by (0, 1, 2, 3, 4, 5, 6, 7, 8)
  and o = merge (0 1 2 3 4 5 6 7 8) with
    | 0 -> buffer x0
    | 1 -> buffer x1
    ...
    | 8 -> buffer x8
  end
```

Parcours Zig-Zag JPEG en AcidS

let node zigzag x = 0 where

rec (x0, x1, x2, x3, x4, x5, x6, x7, x8)

```
$ asc -i zigzag.as
```

```
val zigzag
```

```
: 'x -> 'x
```

```
:: 'a -> 'a on 0^3(1)
```

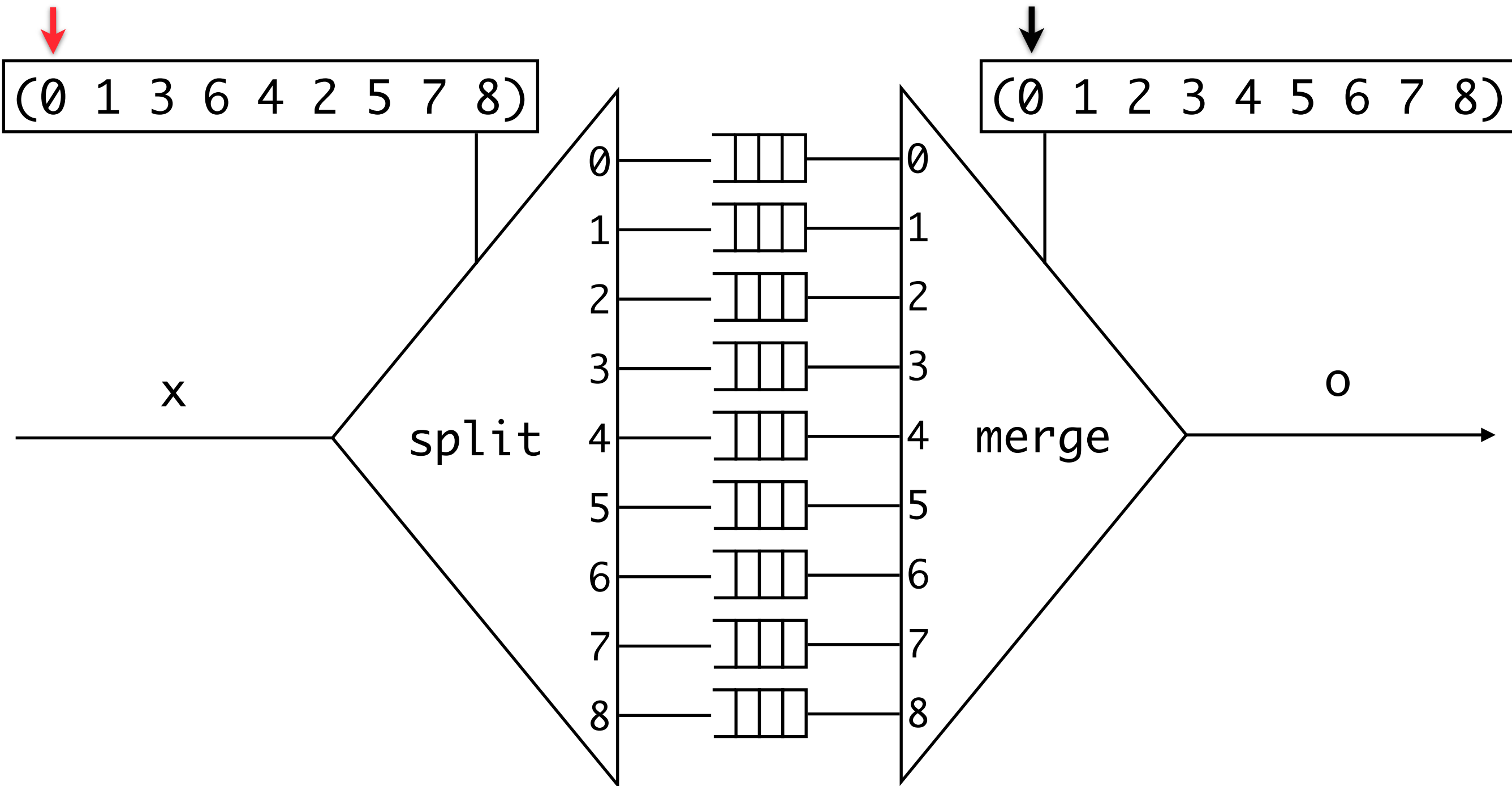
```
buffer x1
```

...

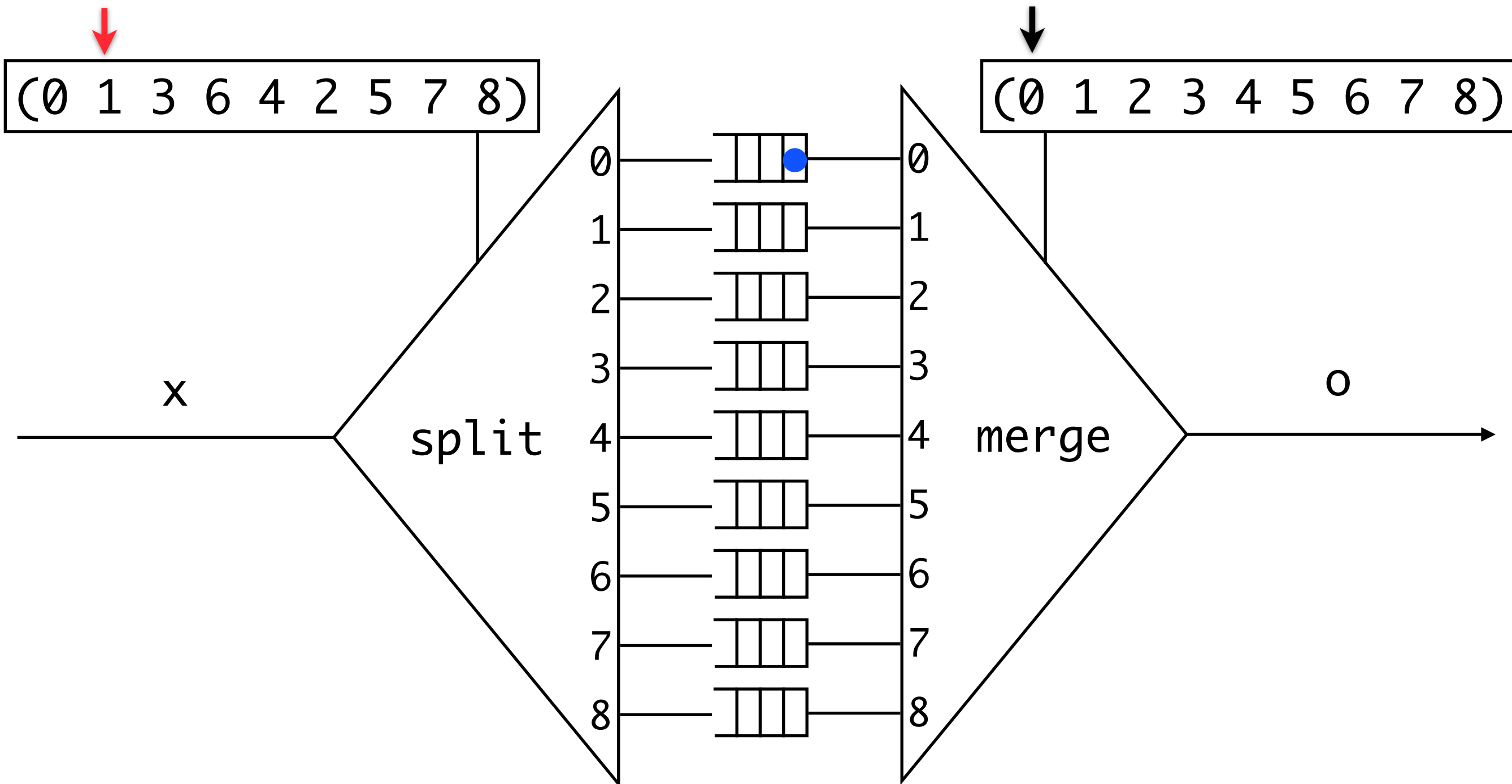
```
| 8 -> buffer x8
```

```
end
```

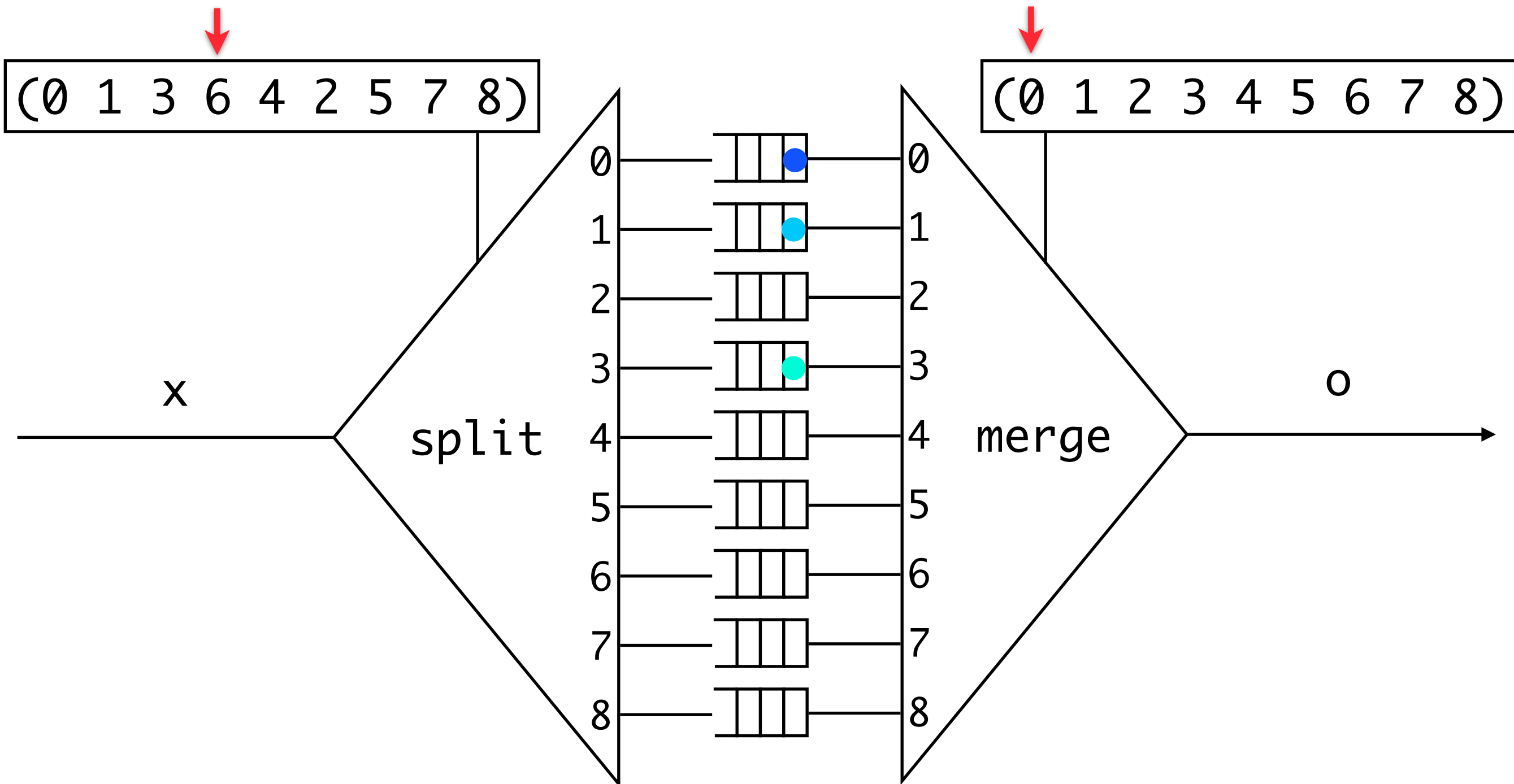
Parcours Zig-Zag JPEG, dataflow scalaire



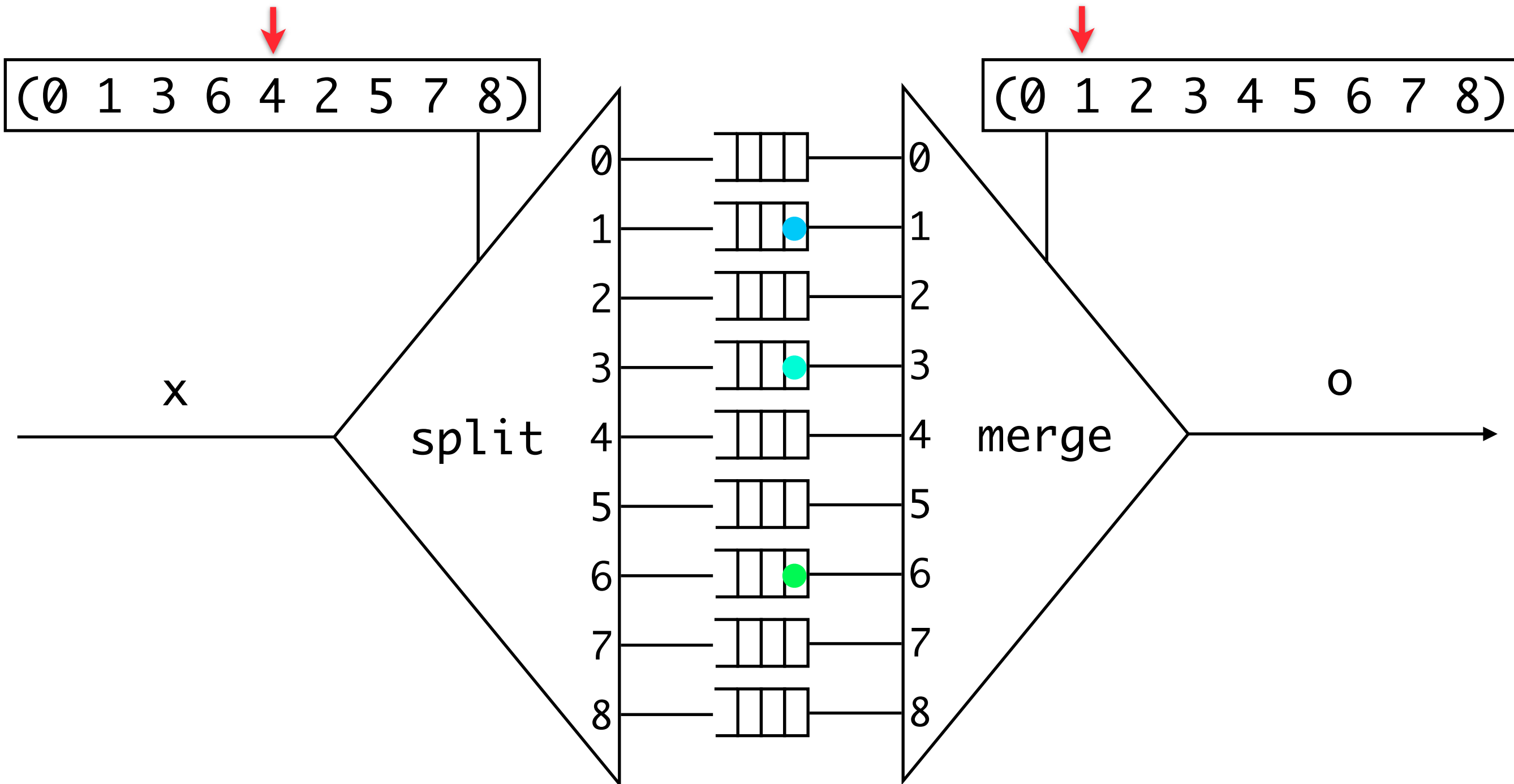
Parcours Zig-Zag JPEG, dataflow scalaire



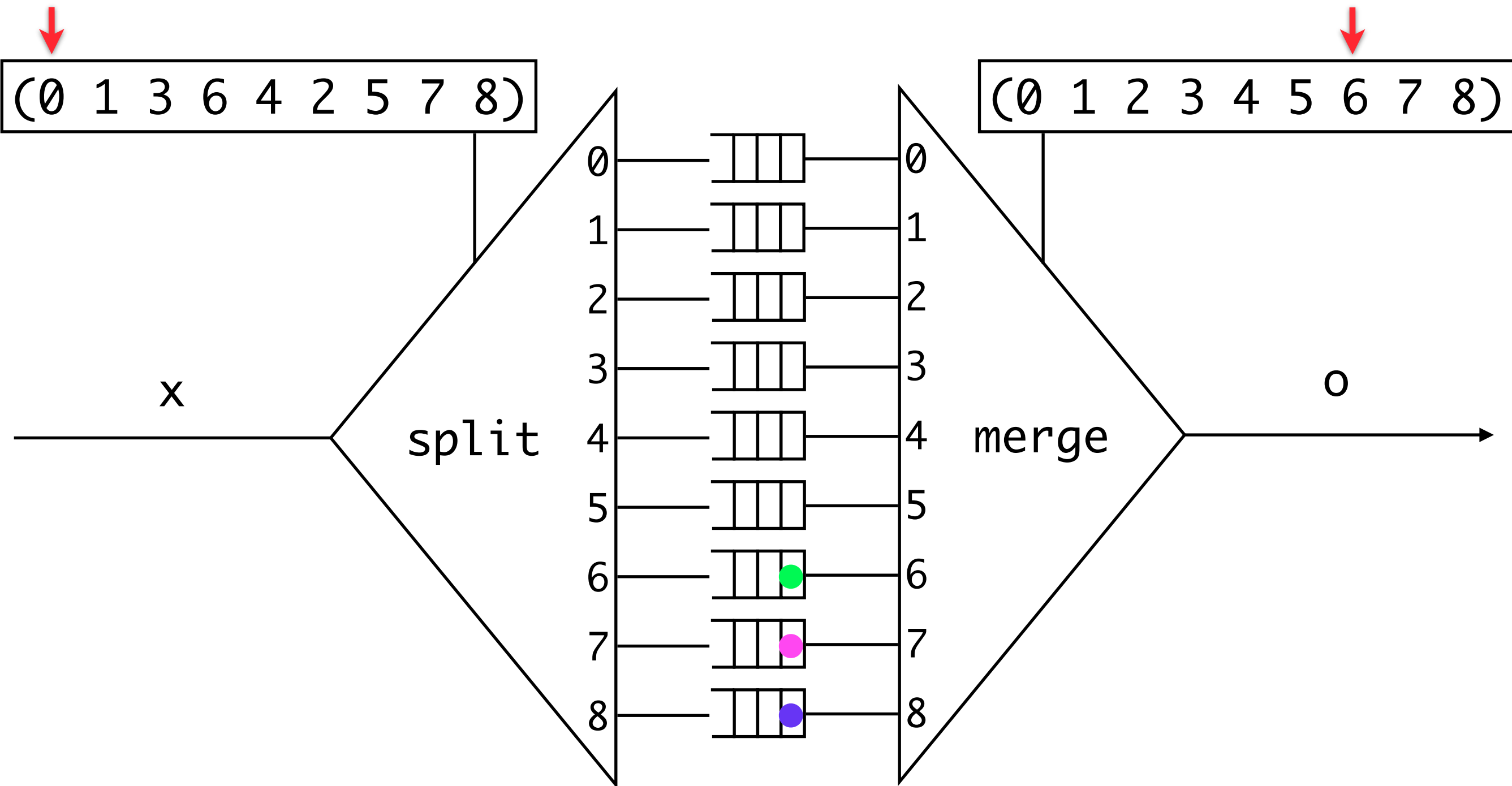
Parcours Zig-Zag JPEG, dataflow scalaire



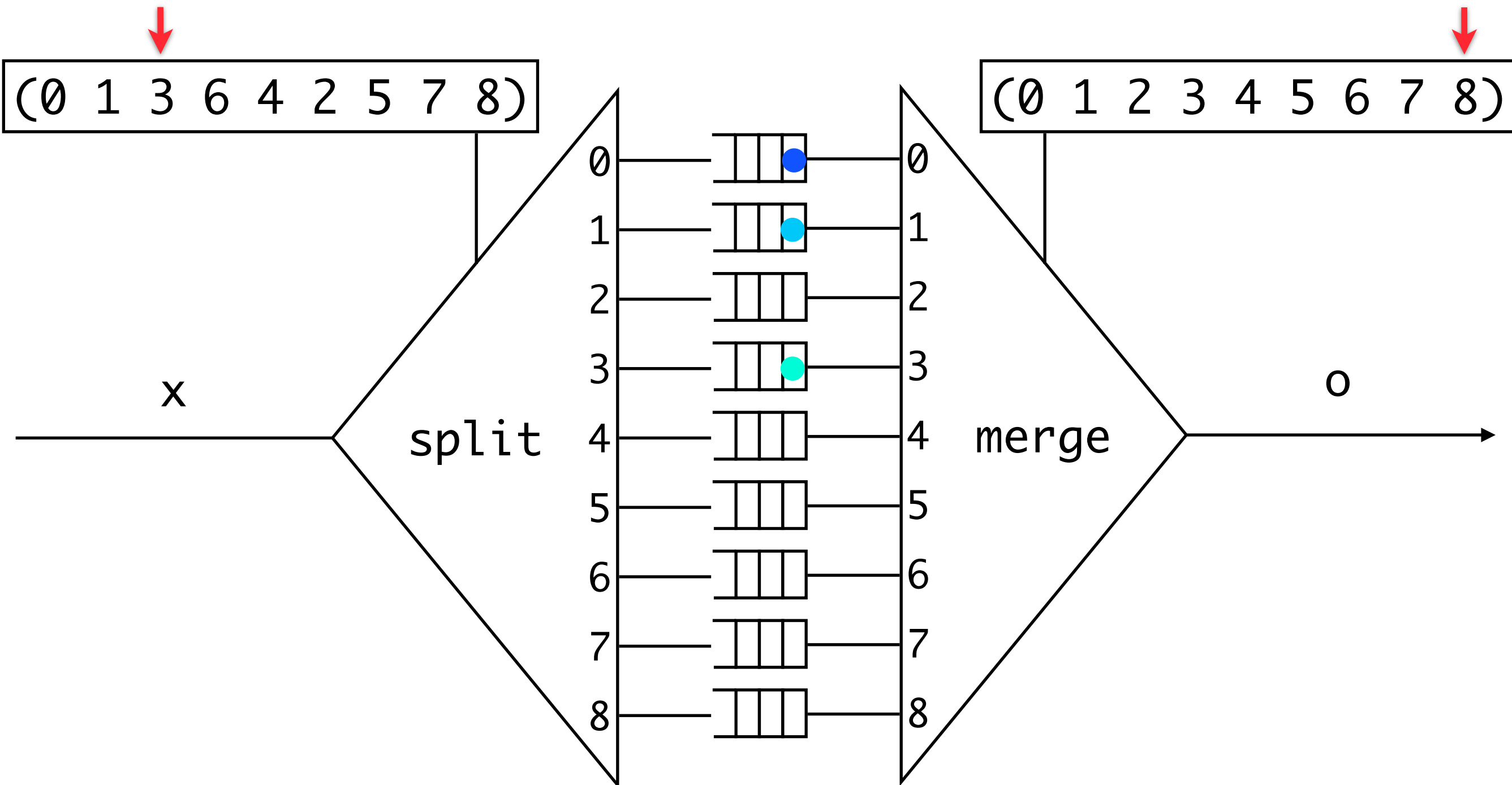
Parcours Zig-Zag JPEG, dataflow scalaire



Parcours Zig-Zag JPEG, dataflow scalaire



Parcours Zig-Zag JPEG, dataflow scalaire



Parcours Zig-Zag JPEG en AcidS

let node zigzag x = 0 where

rec (x0, x1, x2, x3, x4, x5, x6, x7, x8)

```
$ asc -i zigzag.as
```

```
val zigzag
```

```
: 'x -> 'x
```

```
:: 'a -> 'a on 0^3(1)
```

```
buffer x1
```

...

```
| 8 -> buffer x8
```

```
end
```

Parcours Zig-Zag JPEG en AcidS

let node zigzag x = 0 where

(x0 x1 x2 x3 x4 x5 x6 x7 ...)

```
$ asc -i zigzag.as -max_burst 9
```

```
val zigzag
```

```
: 'x -> 'x
```

```
:: 'a on (9) -> 'a on (9)
```

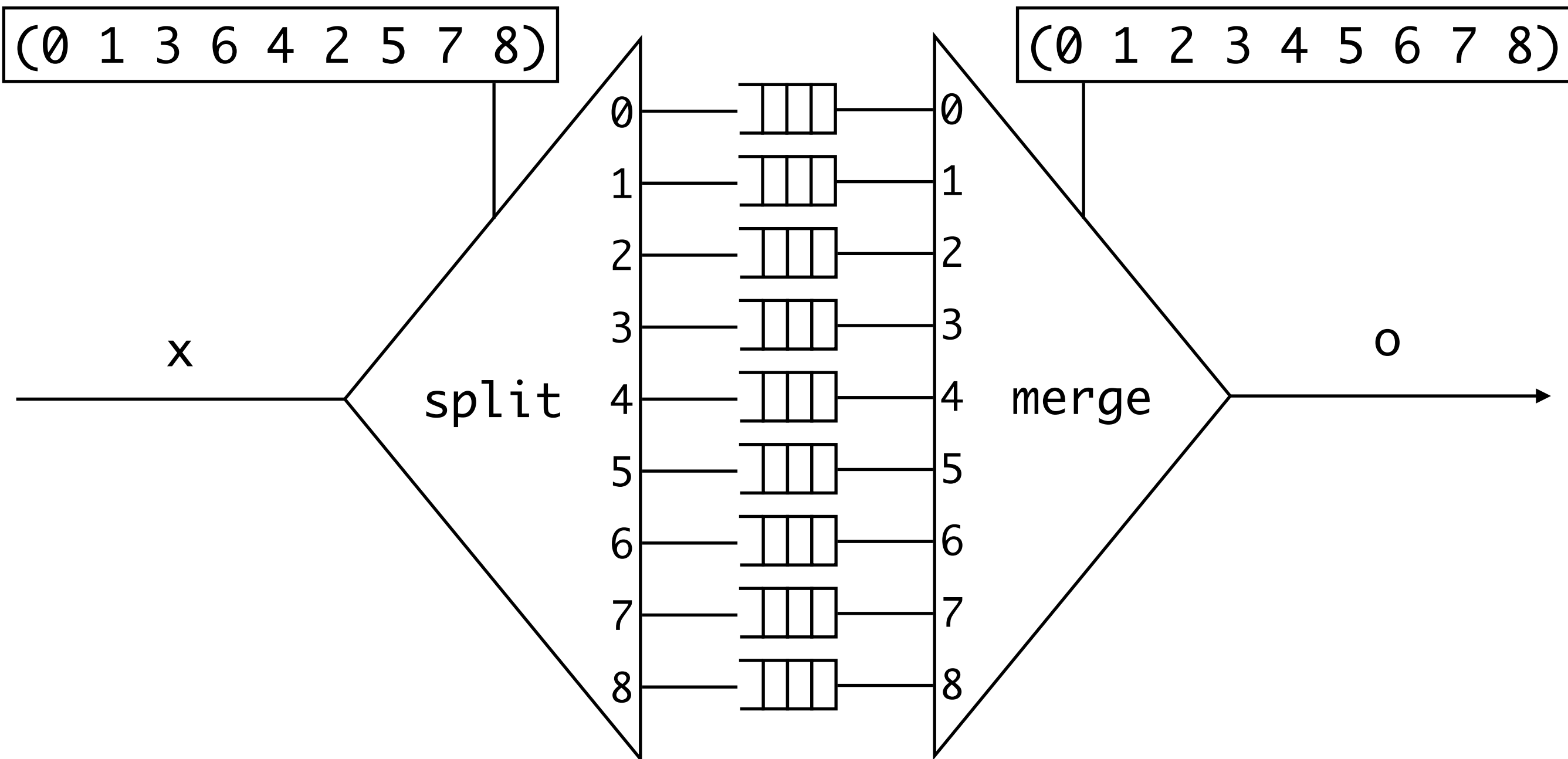
```
buffer x1
```

...

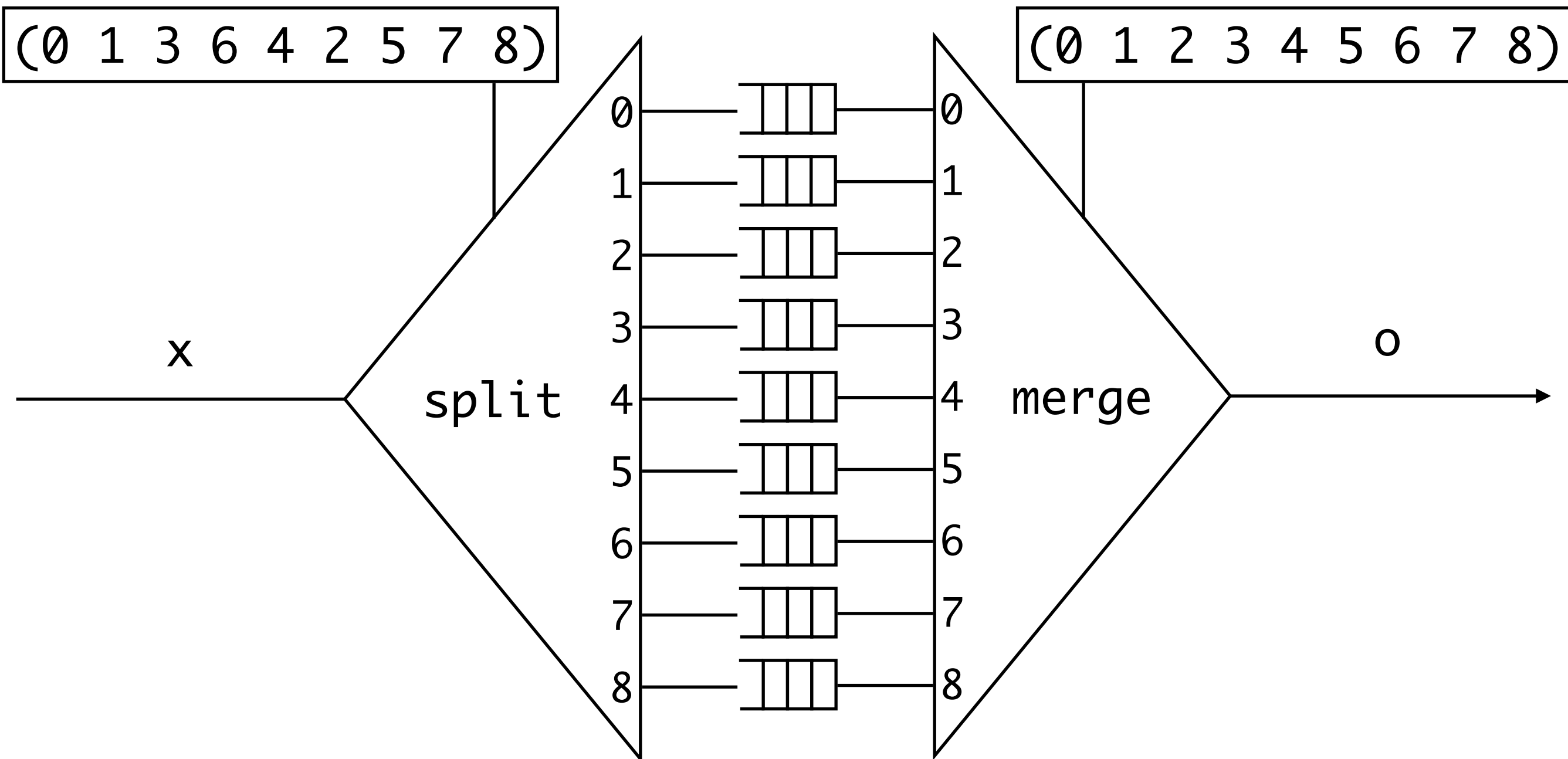
```
| 8 -> buffer x8
```

```
end
```

Parcours Zig-Zag JPEG, dataflow rafales



Parcours Zig-Zag JPEG, dataflow rafales



Parcours Zig-Zag JPEG, variation (ASAP)

```
$ asc -i zigzag.as -max_burst 3  
val zigzag  
: 'x -> 'x  
:: ???
```



Parcours Zig-Zag JPEG, variation (ASAP)

```
$ asc -i zigzag.as -max_burst 3  
val zigzag  
: 'x -> 'x  
:: ???
```

Demandons au compilateur...



Parcours Zig-Zag JPEG, variation (ASAP)

```
$ asc -i zigzag.as -max_burst 3  
val zigzag  
: 'x -> 'x  
:: 'a on (3) -> 'a on 0(3)
```

Demandons au compilateur...



Parcours Zig-Zag JPEG, variation (ASAP)

```
$ asc -i zigzag.as -max_burst 3  
val zigzag  
: 'x -> 'x  
:: 'a on (3) -> 'a on 0(3)
```

Demandons au compilateur...



Parcours Zig-Zag JPEG, variation (ASAP)

```
$ asc -i zigzag.as -max_burst 3  
val zigzag  
: 'x -> 'x  
:: 'a on (3) -> 'a on 0(3)
```

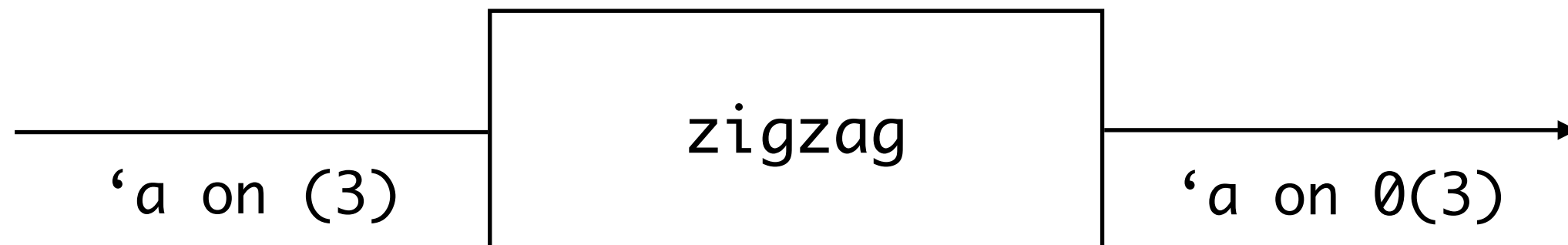
Demandons au compilateur...



Parcours Zig-Zag JPEG, variation (ASAP)

```
$ asc -i zigzag.as -max_burst 3  
val zigzag  
: 'x -> 'x  
:: 'a on (3) -> 'a on 0(3)
```

Demandons au compilateur...



Plan

Introduction

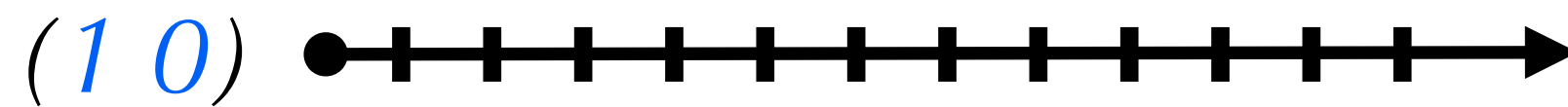
Horloges Entières

Le langage

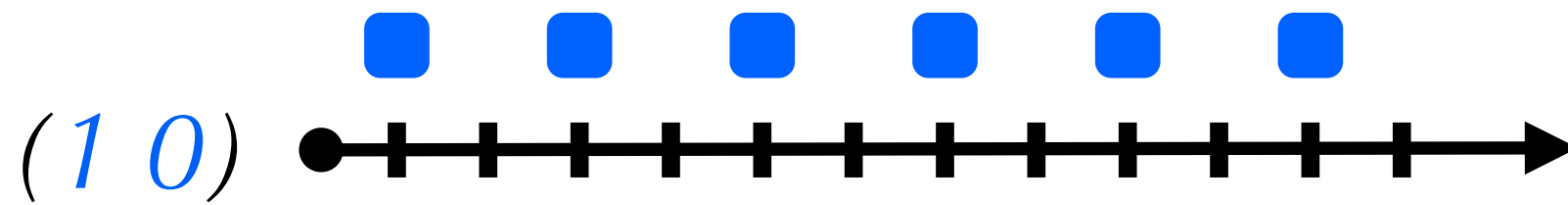
Un compilateur expérimental

Conclusion

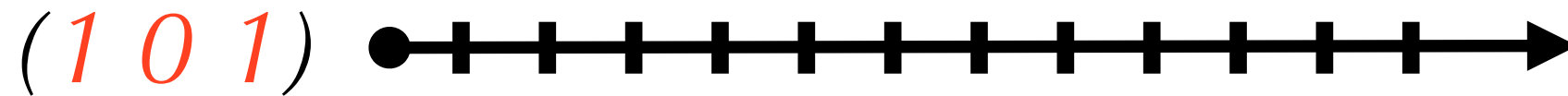
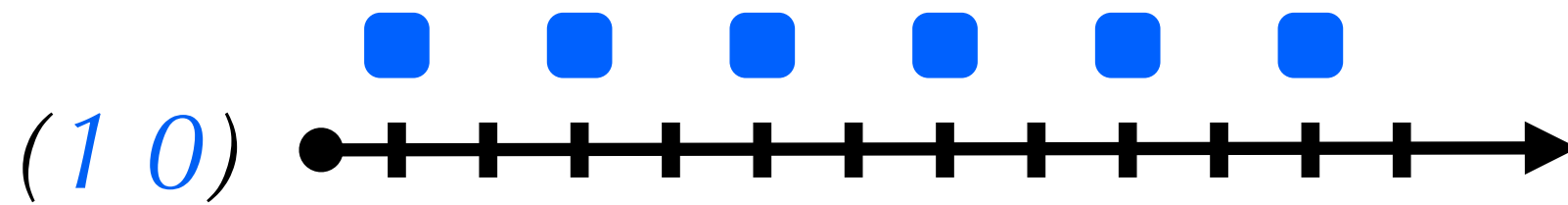
Horloges binaires



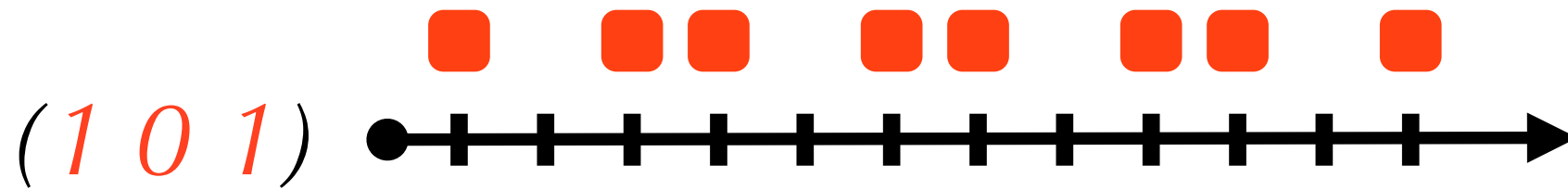
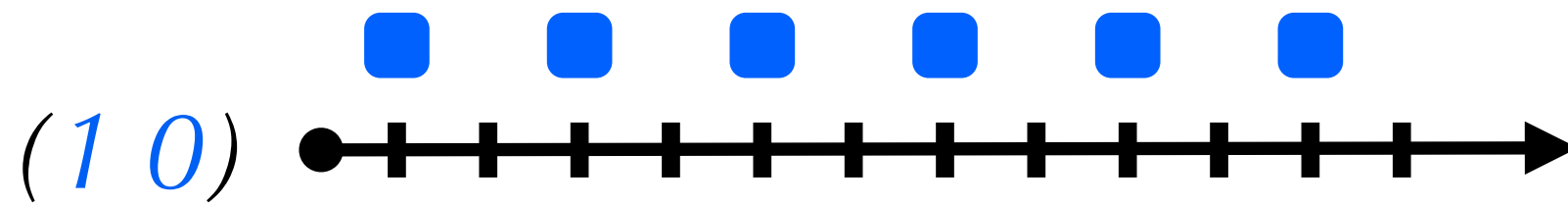
Horloges binaires



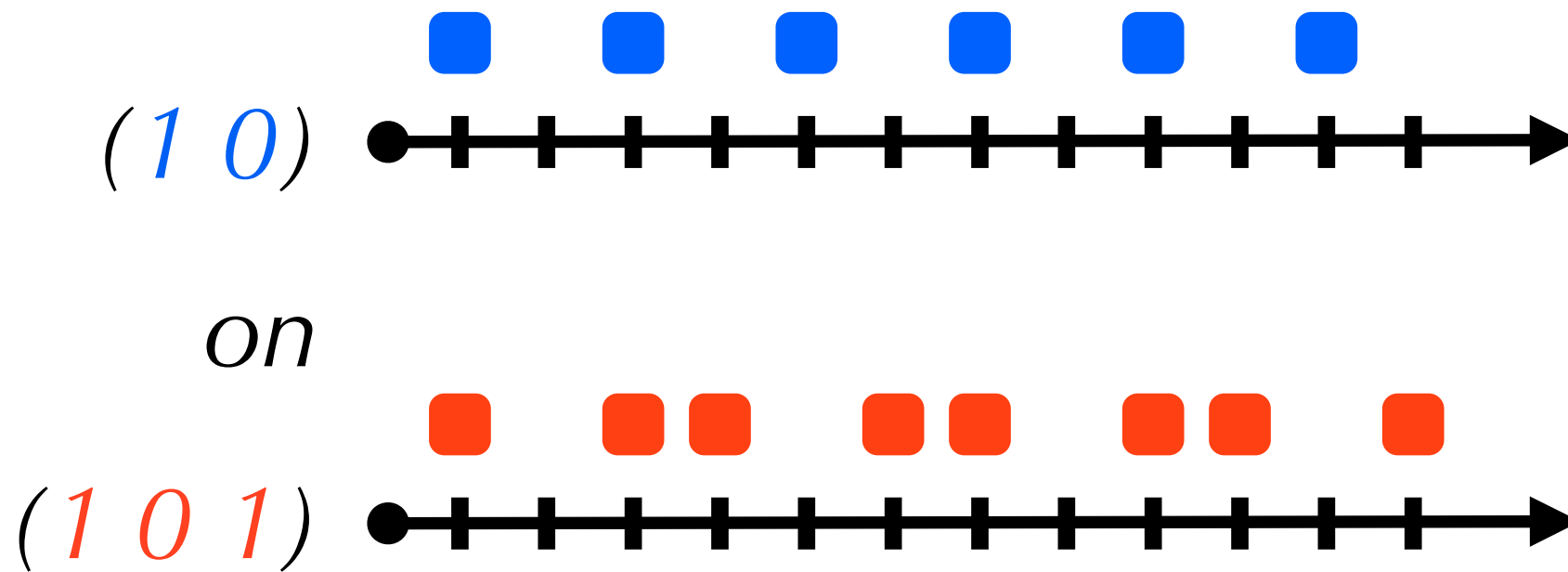
Horloges binaires



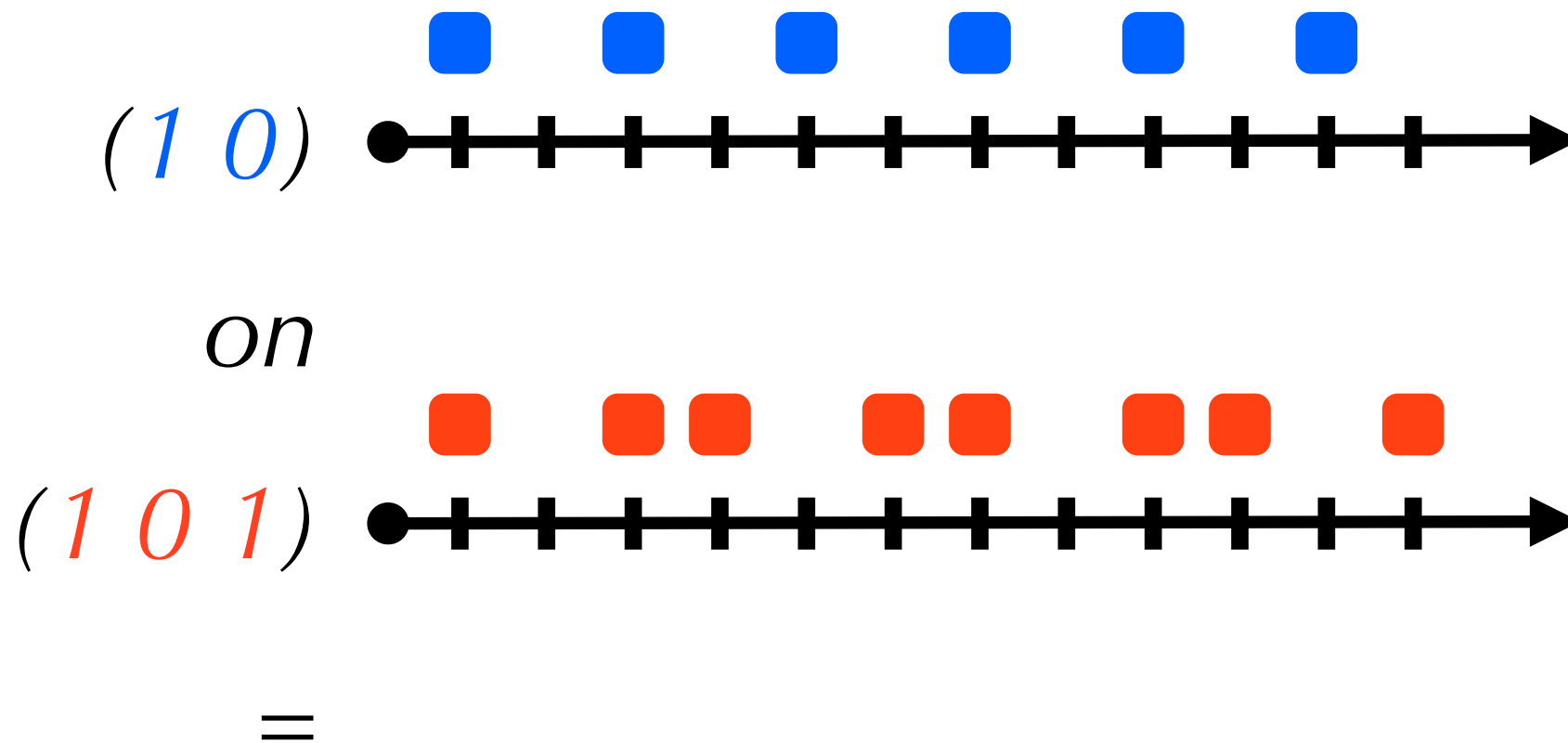
Horloges binaires



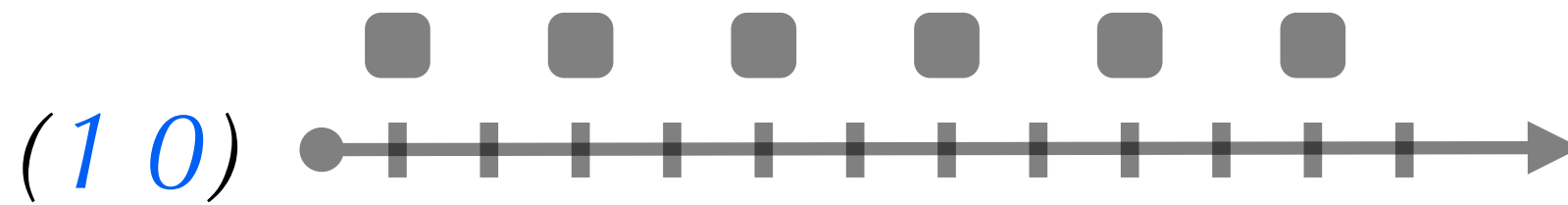
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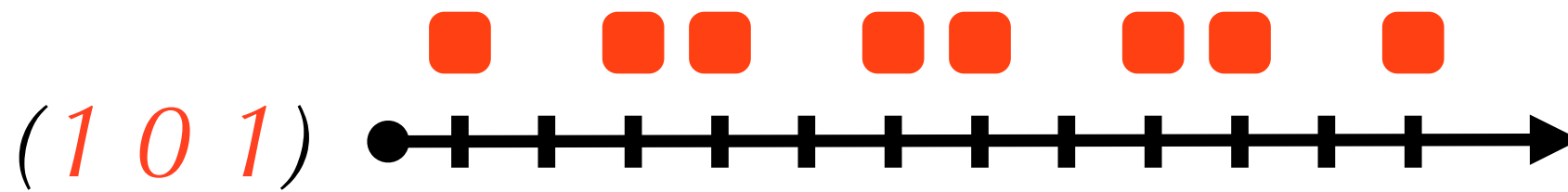
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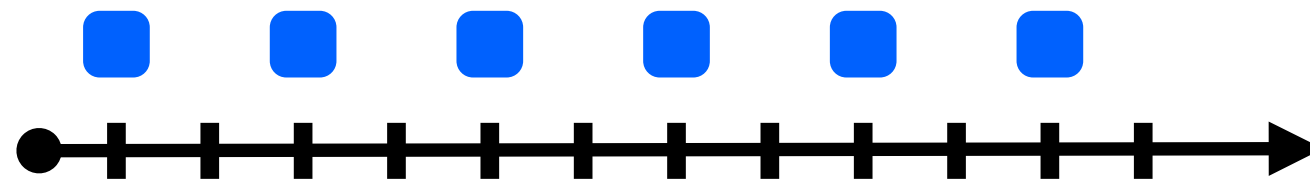
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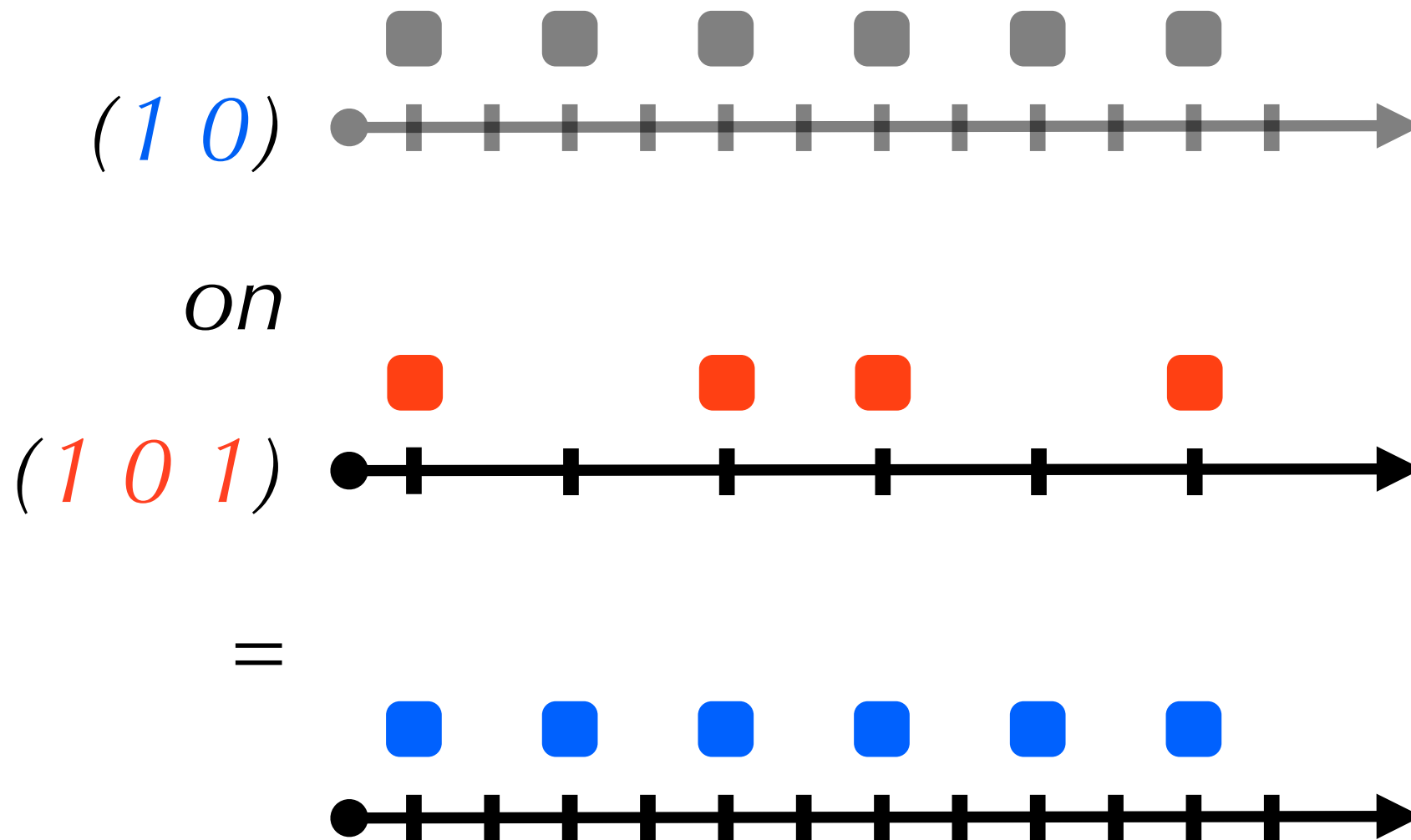
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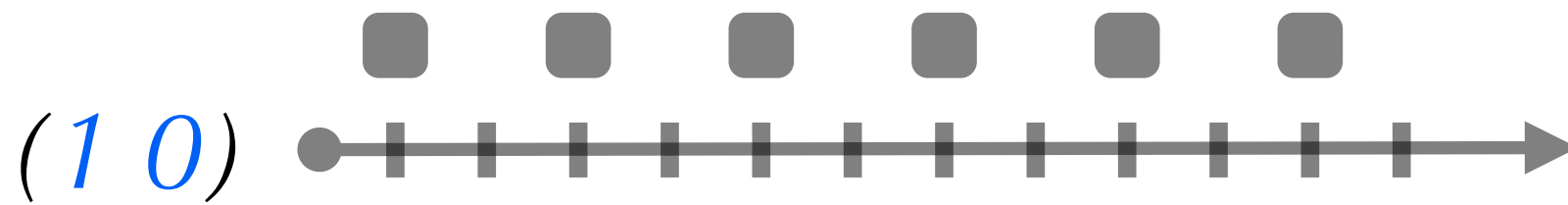
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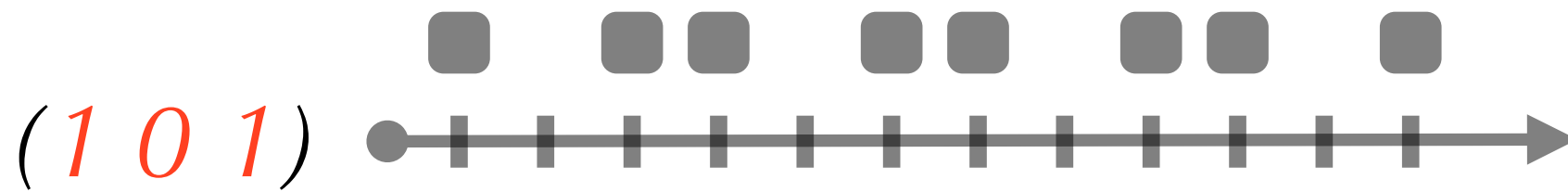
Horloges binaires



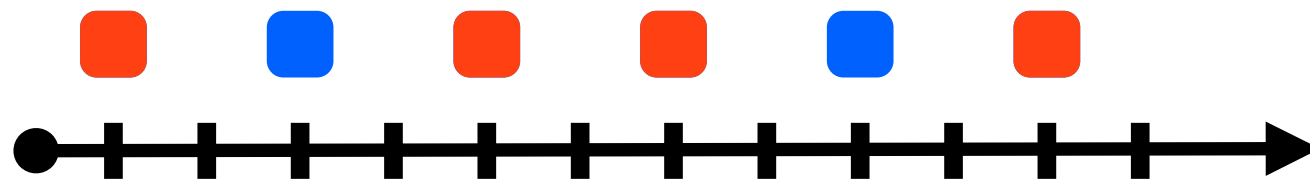
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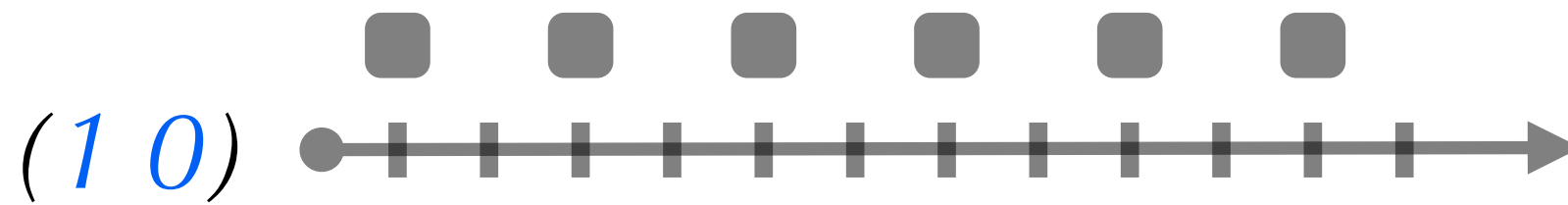
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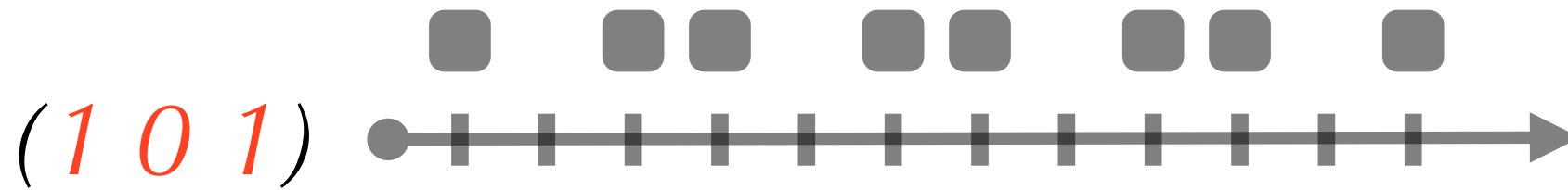
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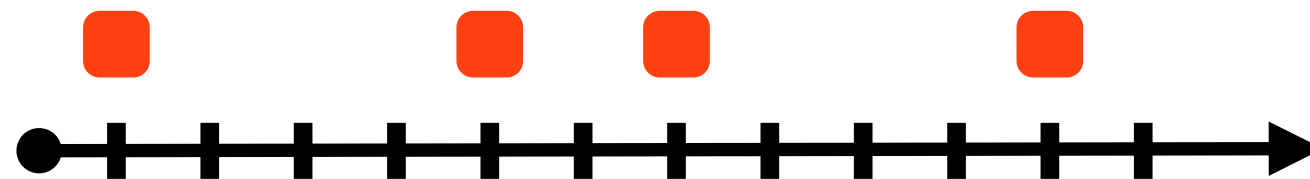
Horloges binaires



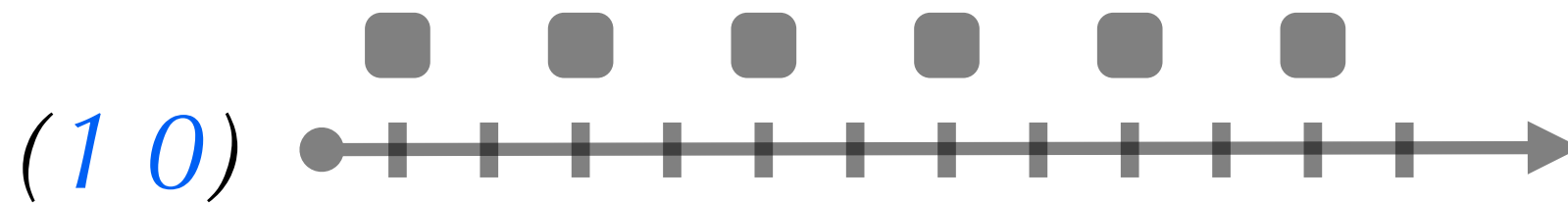
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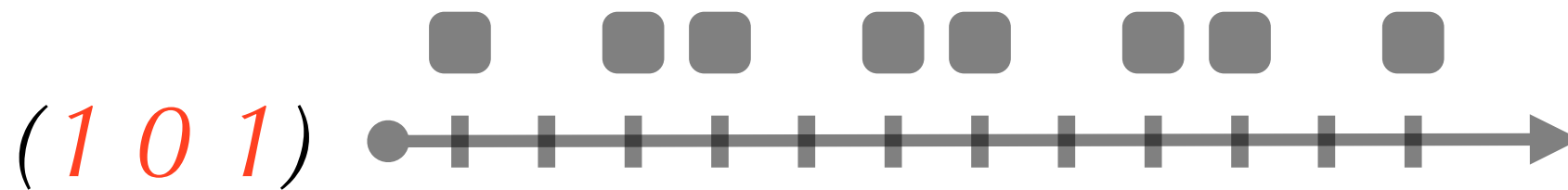
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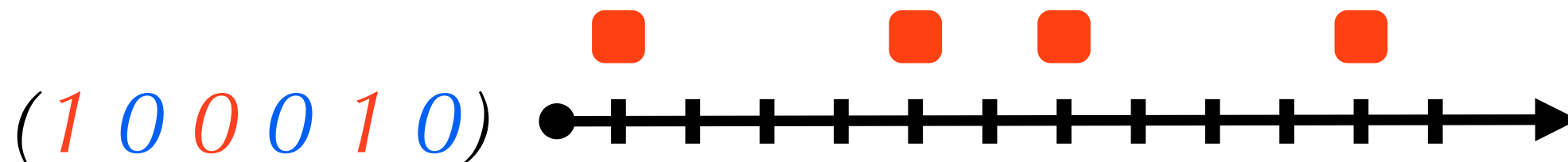
Horloges binaires



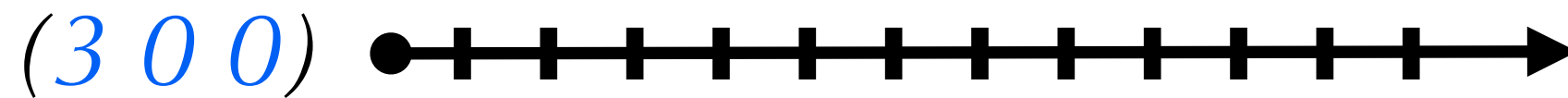
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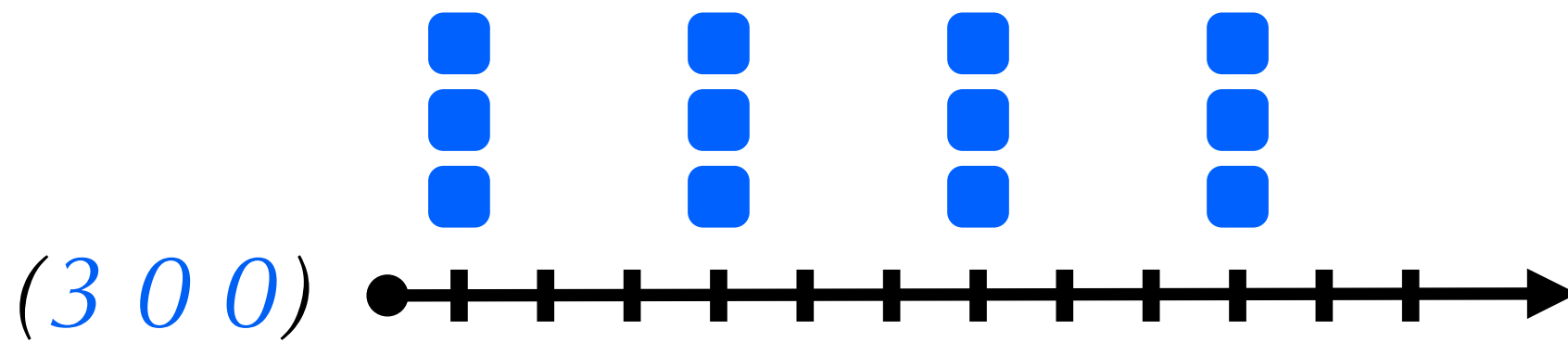
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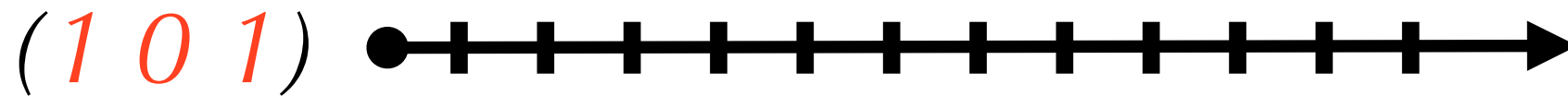
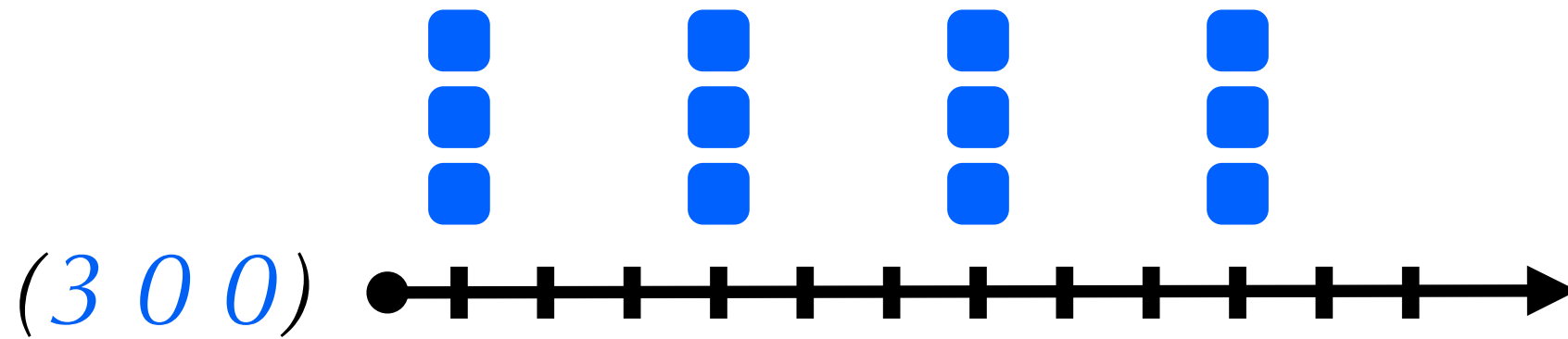
Horloges entières



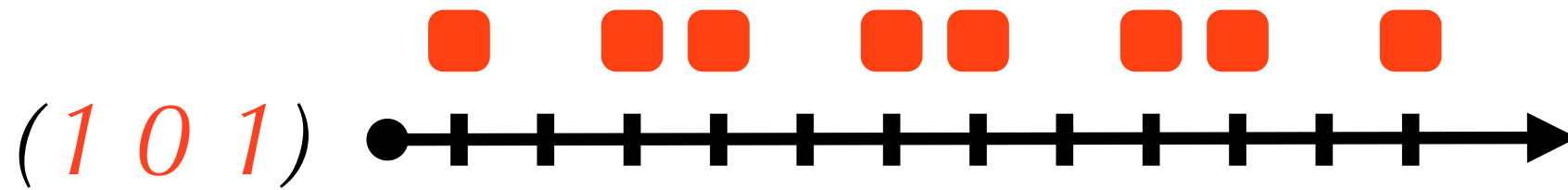
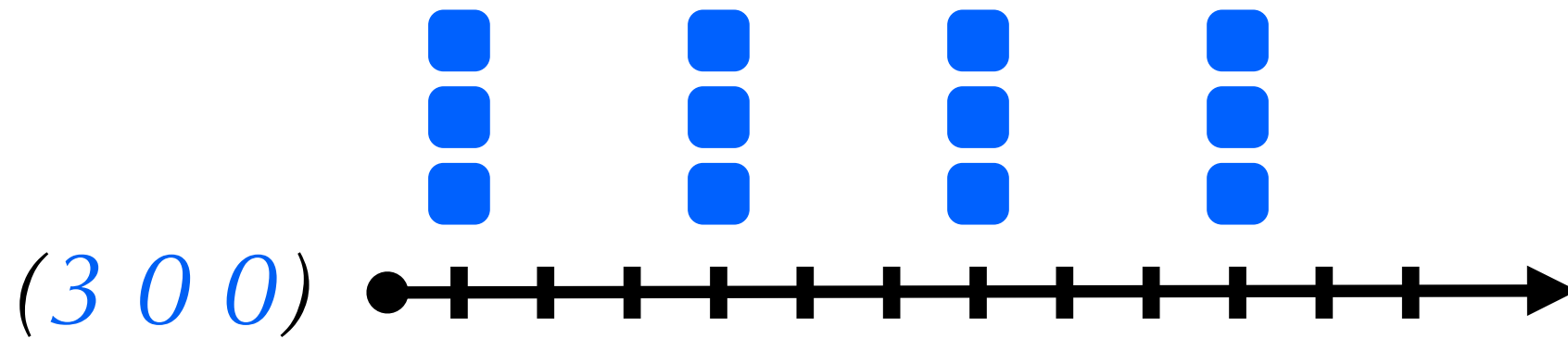
Horloges entières



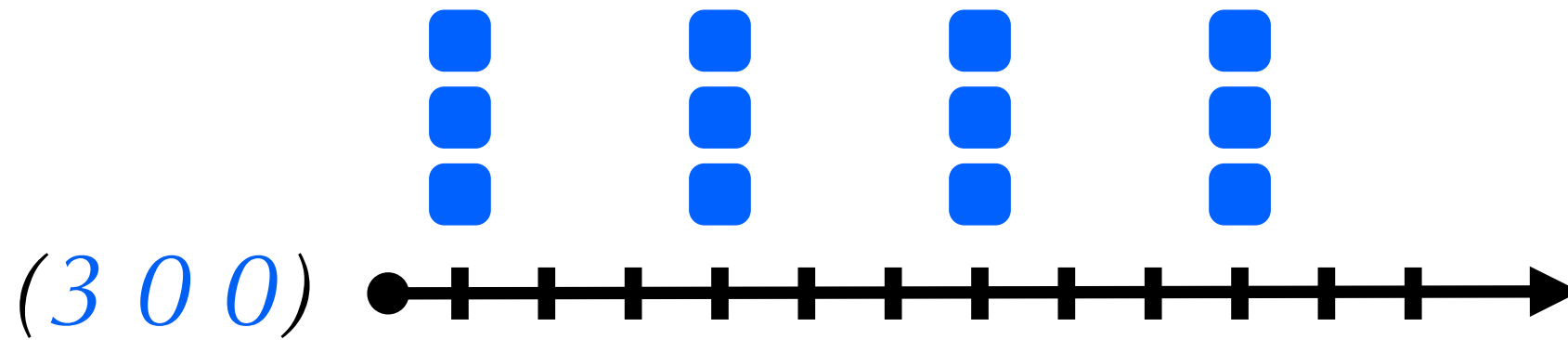
Horloges entières



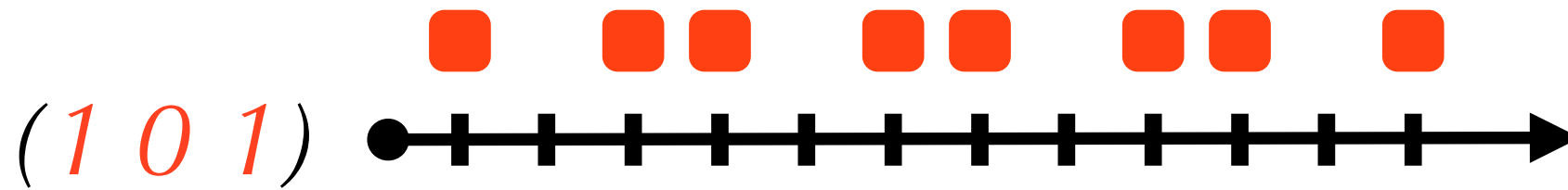
Horloges entières



Horloges entières

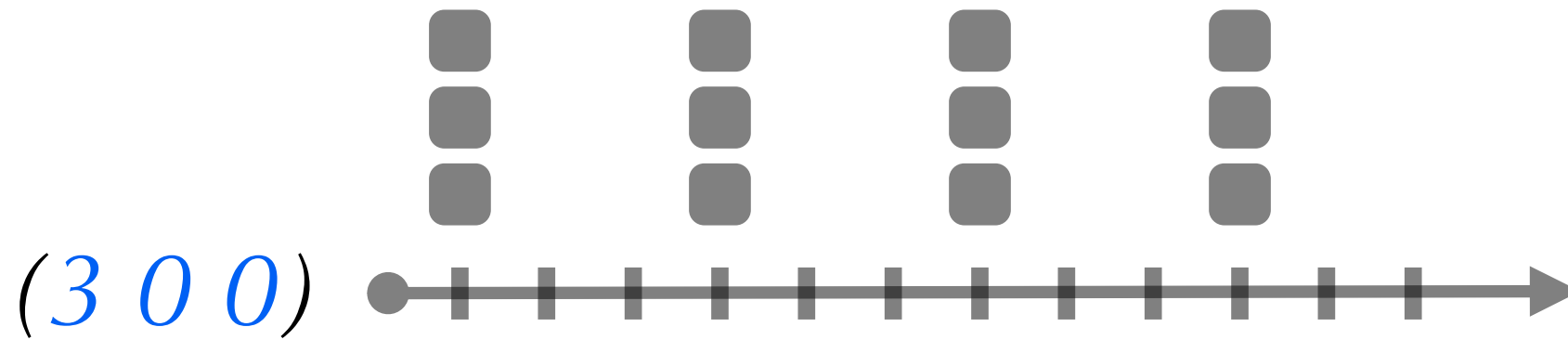


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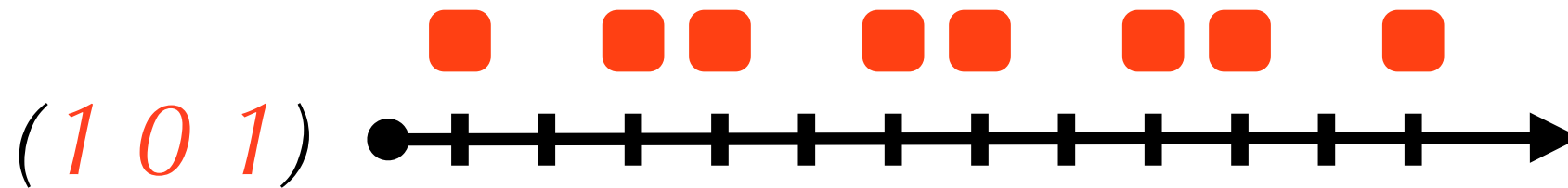


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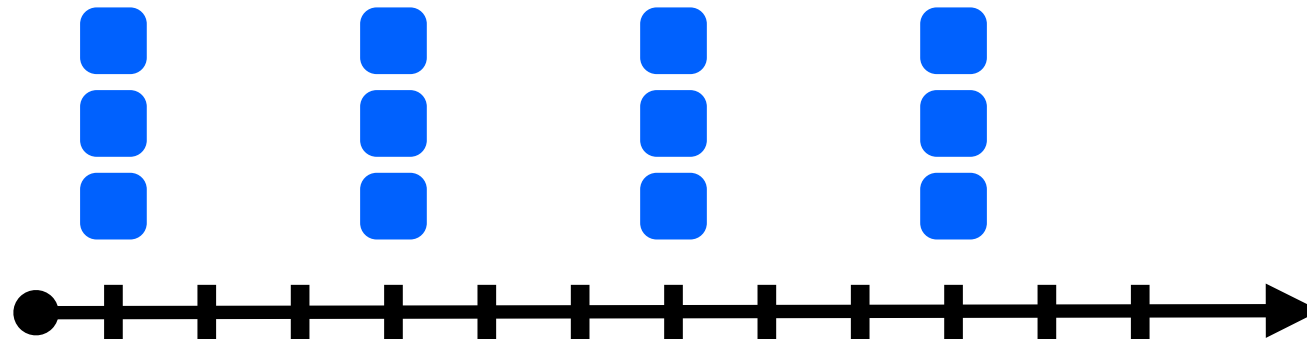
Horloges entières



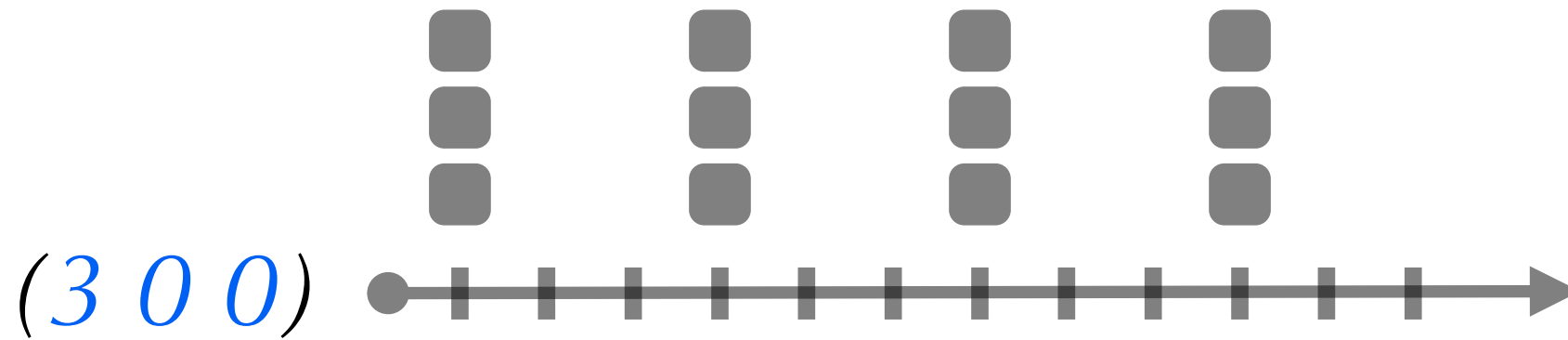
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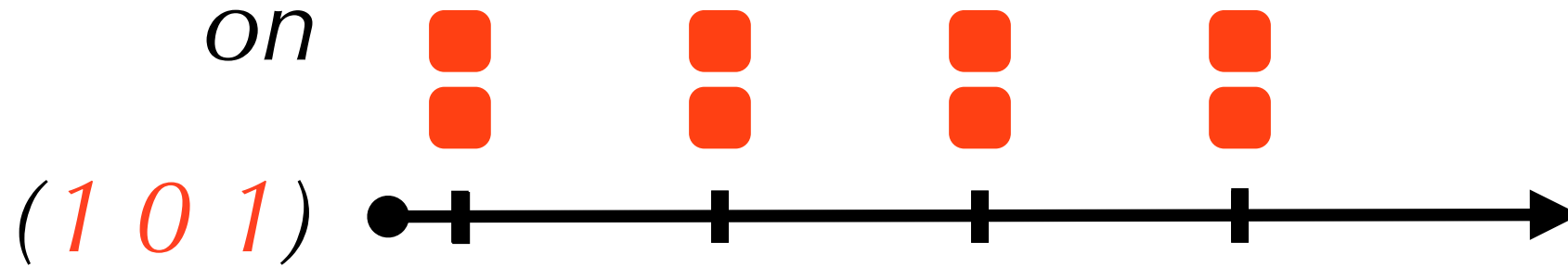
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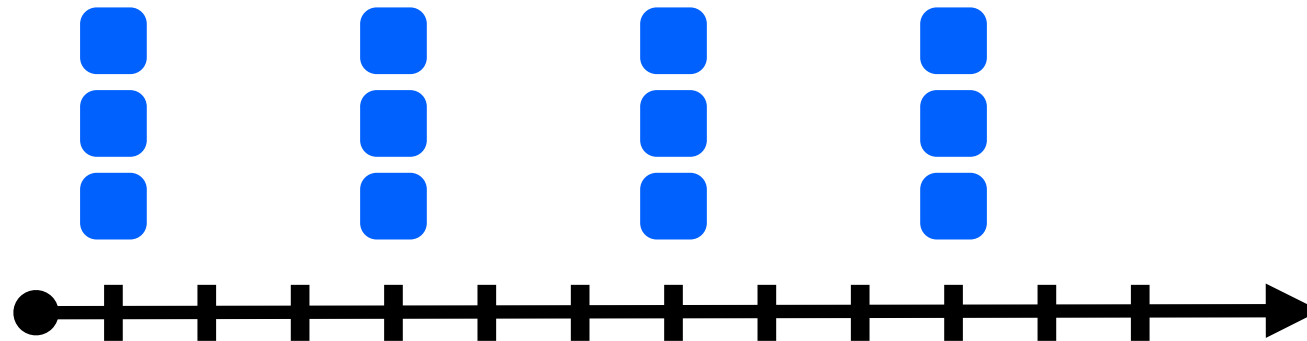
Horloges entières



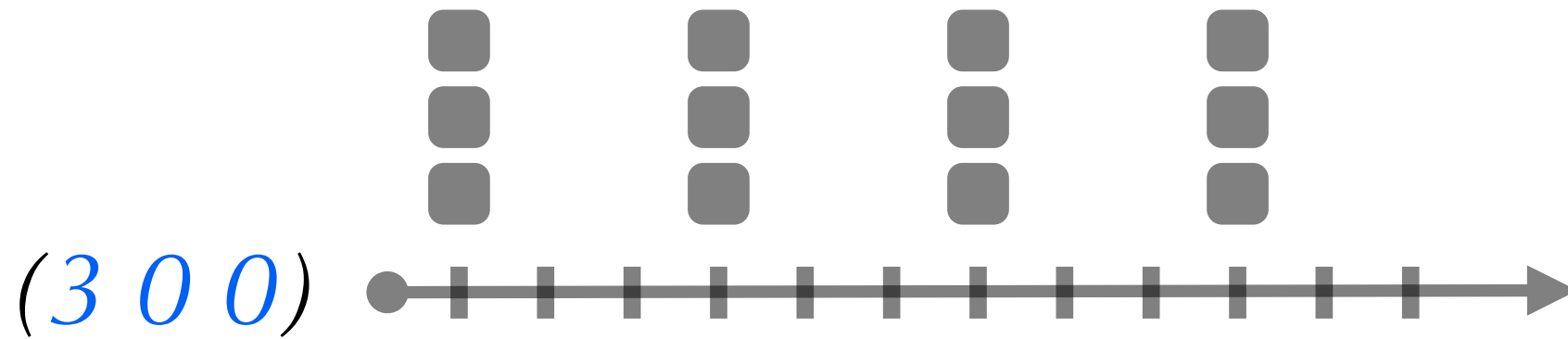
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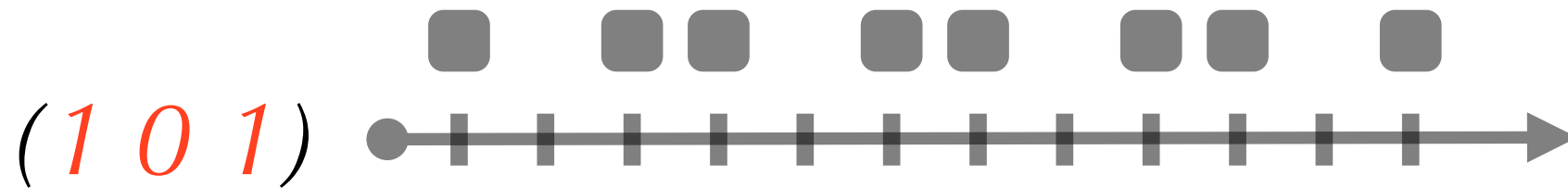
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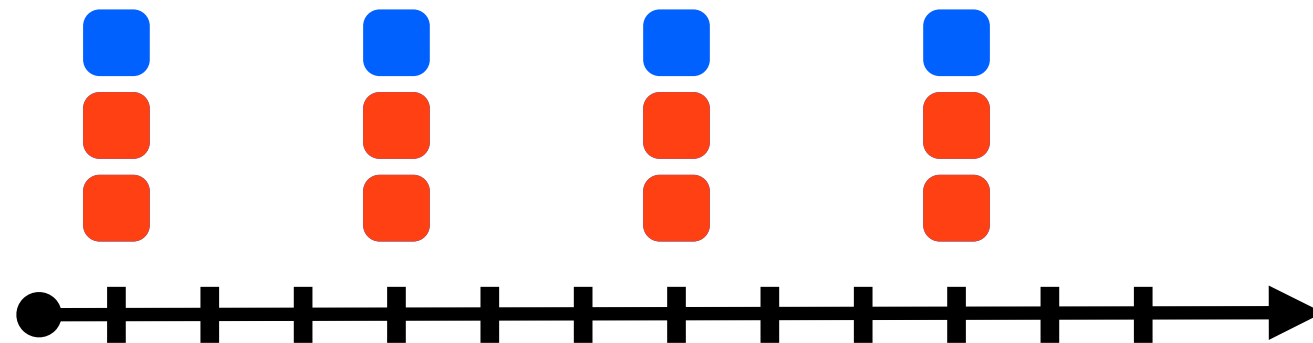
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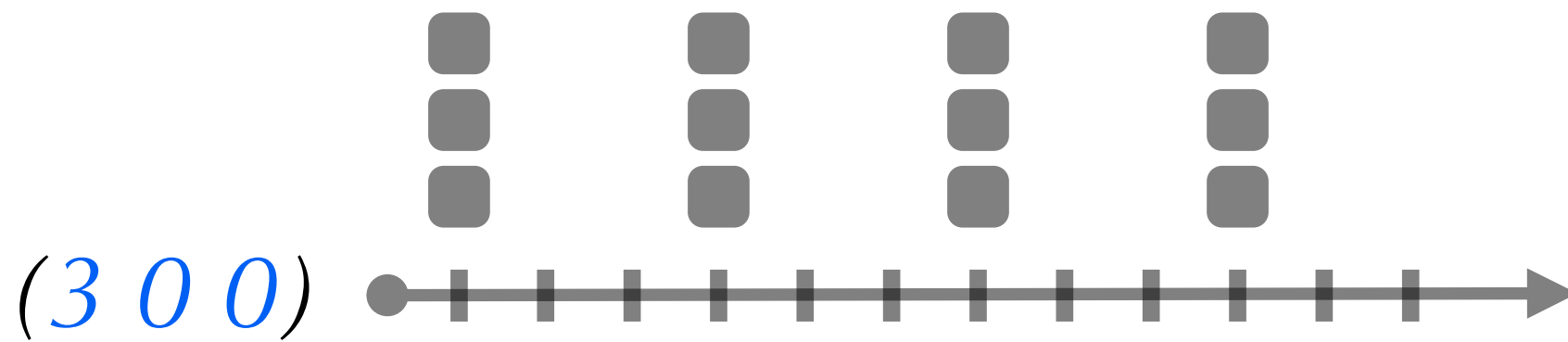
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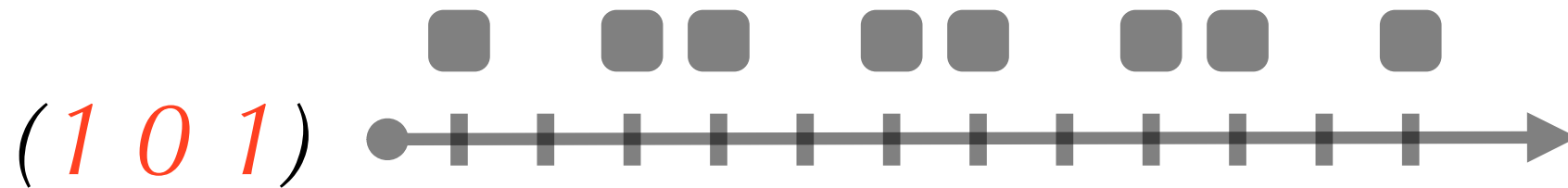
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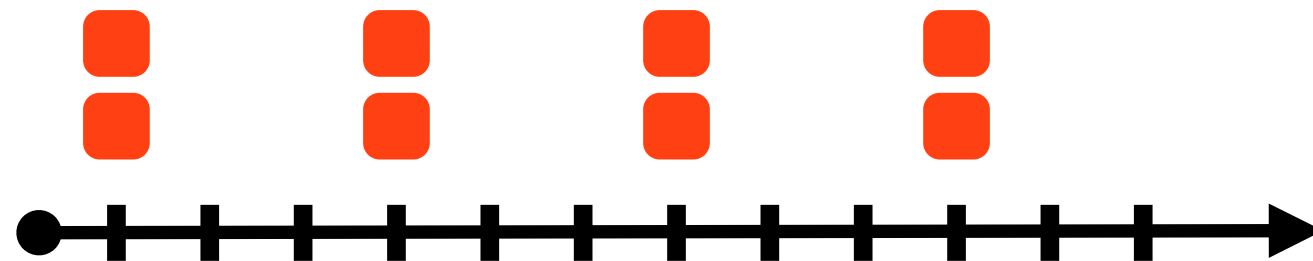
Horloges entières



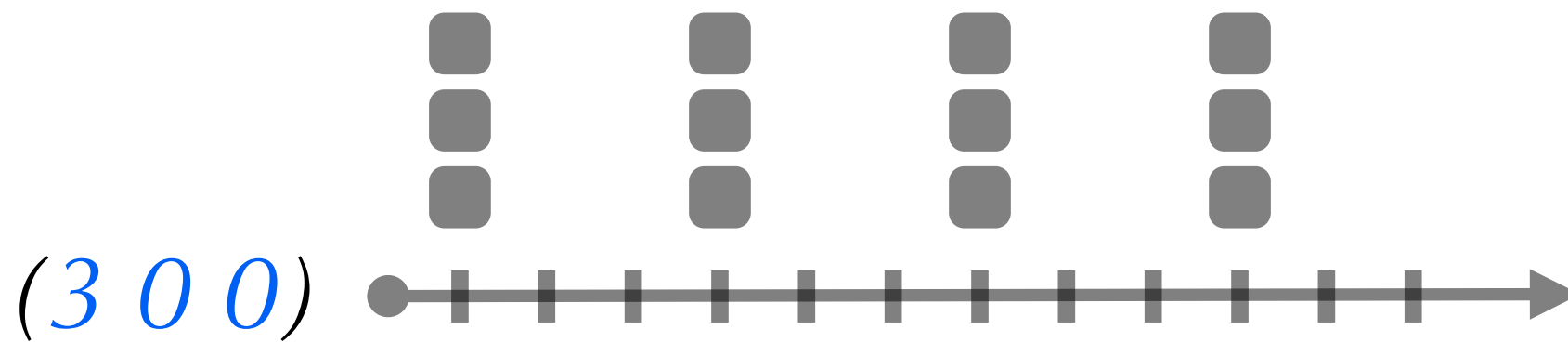
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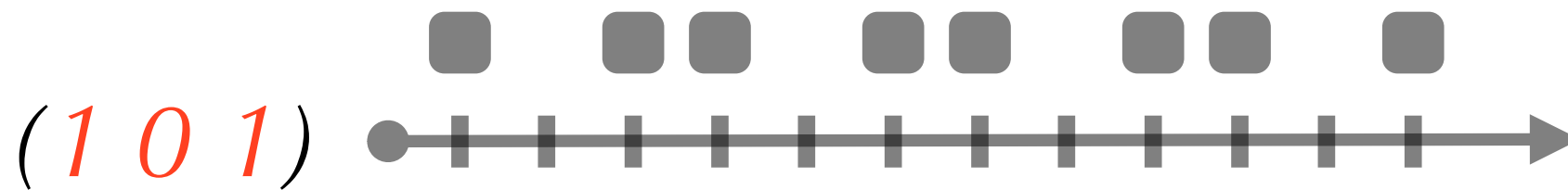
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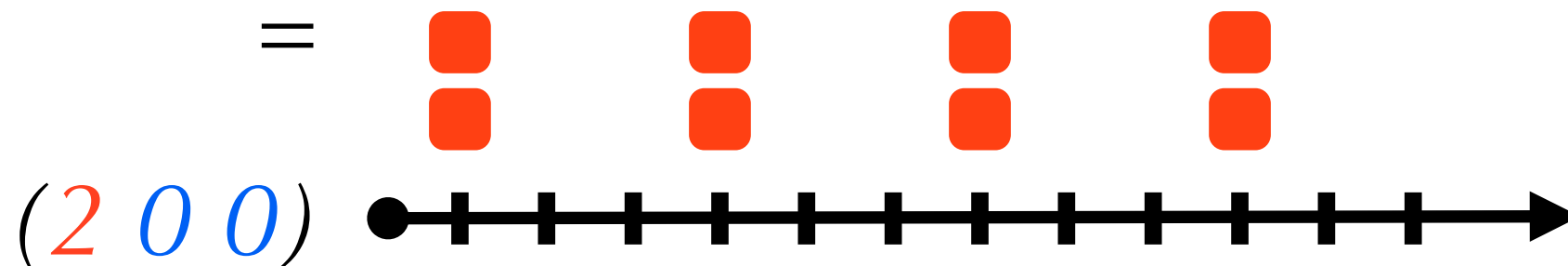
Horloges entières



on



=



Structure algébrique des horloges

Definition:

$$w \in \mathbb{N}^\omega$$

Composition:

$$(n.w) \text{ on } (k_1 \dots k_n.w') = \left(\sum_{1 \leq i \leq n} k_i \right). (w \text{ on } w')$$

Buffers:

$$w <: w' = \forall i. 0 \leq \mathcal{O}_w(i) - \mathcal{O}_{w'}(i) \leq S$$

$$\text{with } \mathcal{O}_w(i) = \sum_{1 \leq j \leq i} w[j]$$

Inéquations d'horloges

Trouver des horloges c_1 , c_2 et c_3 telles que...

$$\left\{ \begin{array}{ll} c_1 \text{ on } (1 \ 0 \ 0) & <: c_2 \text{ on } (1 \ 0) \\ c_1 \text{ on } (0 \ 1 \ 0) & <: c_2 \text{ on } (1 \ 0) \\ c_1 & <: c_3 \text{ on } (0 \ 2) \end{array} \right\}$$

Inéquations d'horloges

Trouver des horloges c_1 , c_2 et c_3 telles que...

$$\left\{ \begin{array}{l} c_1 \text{ on } (1 \ 0 \ 0) <: c_2 \text{ on } (1 \ 0) \\ c_1 \text{ on } (0 \ 1 \ 0) <: c_2 \text{ on } (1 \ 0) \\ c_1 <: c_3 \text{ on } (0 \ 2) \end{array} \right\}$$

Une solution possible :

$$\left\{ \begin{array}{l} c_1 = (1) \\ c_2 = (0 \ 1) \\ c_3 = (1) \end{array} \right\}$$

Inéquations d'horloges

Trouver des horloges c_1 , c_2 et c_3 telles que...

$$\left\{ \begin{array}{l} (1) \text{ on } (1 \ 0 \ 0) <: (0 \ 1) \text{ on } (1 \ 0) \\ (1) \text{ on } (0 \ 1 \ 0) <: (0 \ 1) \text{ on } (1 \ 0) \\ (1) <: (1) \text{ on } (0 \ 2) \end{array} \right\}$$

Une solution possible :

$$\left\{ \begin{array}{l} c_1 = (1) \\ c_2 = (0 \ 1) \\ c_3 = (1) \end{array} \right\}$$

Inéquations d'horloges

Trouver des horloges c_1 , c_2 et c_3 telles que...

$$\left\{ \begin{array}{l} (1 \ 0 \ 0) \\ (0 \ 1 \ 0) \\ (1) \end{array} \right. <: \left\{ \begin{array}{l} (0 \ 1 \ 0) \\ (0 \ 1 \ 0) \\ (0 \ 2) \end{array} \right. \}$$

Une solution possible :

$$\left\{ \begin{array}{l} c_1 \\ c_2 \\ c_3 \end{array} \right. = \left\{ \begin{array}{l} (1) \\ (0 \ 1) \\ (1) \end{array} \right. \}$$

Inéquations d'horloges

Trouver des horloges  es que...

$$\left\{ \begin{array}{l} (1 \ 0 \ 0) \\ (0 \ 1 \ 0) \\ (1) \end{array} \right. <: \left\{ \begin{array}{l} (0 \ 1 \ 0) \\ (0 \ 1 \ 0) \\ (0 \ 2) \end{array} \right. \quad \left. \right\}$$

Une solution possible :

$$\left\{ \begin{array}{l} c1 \\ c2 \\ c3 \end{array} \right. = \left\{ \begin{array}{l} (1) \\ (0 \ 1) \\ (1) \end{array} \right. \quad \left. \right\}$$

Inéquations d'horloges

Trouver des horloges  es que...

$$\left\{ \begin{array}{l} (1 \ 0 \ 0) \\ (0 \ 1 \ 0) \\ (1) \end{array} \right. < \left\{ \begin{array}{l} (0 \ 1 \ 0) \\ (0 \ 2) \end{array} \right. \quad \text{Taille zéro}$$

Une solution possible :

$$\left\{ \begin{array}{l} c1 \\ c2 \\ c3 \end{array} \right. = \left\{ \begin{array}{l} (1) \\ (0 \ 1) \\ (1) \end{array} \right. \quad \text{Taille un}$$

Inéquations d'horloges

Trouver des horloges **Taille un** es que...

$$\left\{ \begin{array}{l} (1 \ 0 \ 0) \\ (0 \ 1) \\ (1) \end{array} \right. < \left\{ \begin{array}{l} \text{Taille zéro} \\ (0 \ 1 \ 0) \\ (0 \ 2) \end{array} \right. \quad \left. \vphantom{\left\{ \begin{array}{l} (1 \ 0 \ 0) \\ (0 \ 1) \\ (1) \end{array} \right.}} \right\}$$

Taille un

Une solution possible :

$$\left\{ \begin{array}{l} c1 \\ c2 \\ c3 \end{array} \right. = \left\{ \begin{array}{l} (1) \\ (0 \ 1) \\ (1) \end{array} \right. \quad \left. \vphantom{\left\{ \begin{array}{l} c1 \\ c2 \\ c3 \end{array} \right.}} \right\}$$

Inéquations d'horloges

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Une autre solution :

$$\left\{ \begin{array}{l} c_1 = (3 \ 0 \ 0) \\ c_2 = (2 \ 0 \ 0) \\ c_3 = (1) \end{array} \right\}$$

Inéquations d'horloges

Trouver des horloges c_1 , c_2 et c_3 telles que...

$$\left\{ \begin{array}{l} (3 \ 0 \ 0) \text{ on } (1 \ 0 \ 0) <: (2 \ 0 \ 0) \text{ on } (1 \ 0) \\ (3 \ 0 \ 0) \text{ on } (0 \ 1 \ 0) <: (2 \ 0 \ 0) \text{ on } (1 \ 0) \\ (3 \ 0 \ 0) <: (1) \text{ on } (0 \ 2) \end{array} \right\}$$

Une autre solution :

$$\left\{ \begin{array}{l} c_1 = (3 \ 0 \ 0) \\ c_2 = (2 \ 0 \ 0) \\ c_3 = (1) \end{array} \right\}$$

Inéquations d'horloges

Trouver des horloges c_1 , c_2 et c_3 telles que...

$$\left\{ \begin{array}{l} (1 \ 0 \ 0) \\ (1 \ 0 \ 0) \\ (3 \ 0 \ 0) \end{array} \right. <: \left\{ \begin{array}{l} (1 \ 0 \ 0) \\ (1 \ 0 \ 0) \\ (0 \ 2) \end{array} \right. \}$$

Une autre solution :

$$\left\{ \begin{array}{l} c_1 \\ c_2 \\ c_3 \end{array} \right. = \left\{ \begin{array}{l} (3 \ 0 \ 0) \\ (2 \ 0 \ 0) \\ (1) \end{array} \right. \}$$

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Inéquations d'horloges

Trouver des horloges **Taille zéro** es que...

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Conclusion

Le langage

- Langage fonctionnel de premier ordre
- Manipule uniquement des flots typés
- n-synchrone: Lustre + buffer, à la Lucy-n
- Inférence d'horloges entières

Syntaxe

$$\begin{array}{l} e ::= x \\ \quad | f e \\ \quad | \text{let node } f x = e \text{ in } e \\ \quad | e \text{ where } eq^* \\ \quad | \text{merge } ce e e \\ \quad | e \text{ when } ce \\ \quad | \text{split } e \text{ by } ce \text{ with } c^* \\ \quad | \text{buffer } e \\ eq ::= x = e \\ ce ::= p \\ \quad | x \\ \quad | ce = c \end{array}$$

Syntaxe

$e ::=$

- x
- $f e$
- let node $f x = e$ in e
- e where eq^*
- merge $ce e e$
- e when ce
- split e by ce with c^*
- buffer e

$eq ::= x = e$

$ce ::=$

- p
- x
- $ce = c$

Fonctions

Syntaxe

$$\begin{array}{l} e ::= x \\ \quad | f e \\ \quad | \text{let node } f x = e \text{ in } e \\ \quad | e \text{ where } eq^* \\ \quad | \text{merge } ce e e \quad \text{Contrôle} \\ \quad | e \text{ when } ce \\ \quad | \text{split } e \text{ by } ce \text{ with } c^* \\ \quad | \text{buffer } e \\ eq ::= x = e \\ ce ::= p \\ \quad | x \\ \quad | ce = c \end{array}$$

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Sémantique

Sémantique de Kahn

$$[[\text{Bool}]]^K = \mathbb{B}^\infty$$

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[true, true, false, false, false, true, false, true, false...]

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clock

[2, 0, 3, 2, 1, 1, ...]

Sémantique

Sémantique de Unique $\llbracket \cdot \rrbracket^K = \mathbb{B}^\infty$

[true, true, false, false, false, true, false, true, false...]

Sémantique Dépendante des types
d'horloge $\llbracket \cdot \rrbracket^S = (\mathbb{B}^*)^\infty$

[[true, true], [], [false, false, false], [true, false], [true], [false], ...]



clock

[2, 0, 3, 2, 1, 1, ...]

Typage d'horloges

$$\frac{\Gamma \vdash e_1 :: ck \quad \Gamma \vdash e_2 :: ck}{\Gamma \vdash e_1 + e_2 :: ck}$$

$$\frac{\Gamma \vdash e :: ck \quad \Gamma \vdash ce :: ck}{\Gamma \vdash e \text{ when } ce :: ck \text{ on } ce}$$

$$\frac{}{\Gamma \vdash c :: ck}$$

$$\frac{\Gamma \vdash e :: ck \quad ck <: ck'}{\Gamma \vdash \text{buffer } e :: ck'}$$

...

Typage d'horloges

$\Gamma \vdash e_1 :: ck$ $\Gamma \vdash e_2 :: ck$ $\Gamma \vdash e :: ck$ $\Gamma \vdash ce :: ck$

En pratique : inférence d'horloge

- Accumuler les contraintes en parcourant l'AST
- Les réduire en contraintes sur les mots périodiques
- Réduire ces dernières à un problème de PLNE

...

Correction du typage d'horloges

La sémantique de Kahn et la sémantique synchrone
d'un programme bien typé coïncident

Correction du typage d'horloges

La sémantique de Kahn et la sémantique synchrone d'un programme bien typé coïncident

$$\mathit{unpack}(\llbracket \vdash e :: ck \rrbracket^S) = \llbracket e \rrbracket^K$$

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Schéma de compilation

$$\llbracket f \rrbracket^K : A^\infty \rightarrow B^\infty$$

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Clocking

$$\llbracket f \rrbracket^S : (A^*)^\infty \rightarrow (B^*)^\infty$$

Schéma de compilation

$$\llbracket f \rrbracket^K : A^\infty \rightarrow B^\infty$$

Clocking

$$\llbracket f \rrbracket^S : (A^*)^\infty \rightarrow (B^*)^\infty$$

Codegen

$$\langle f \rangle : \exists S. (S \times (S \times A^* \rightarrow S \times B^*))$$

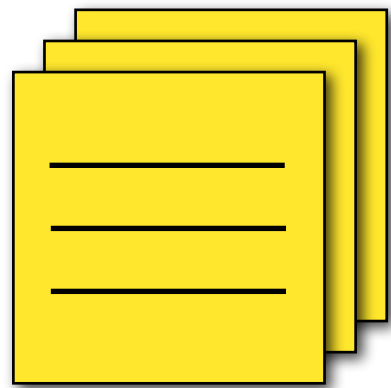
Objectifs de la génération de code

```
let node zigzag x = o where
  rec (x0, x1, x2, x3, x4, x5, x6, x7, x8)
      = split x
        with (0 1 3 6 4 2 5 7 8)
        by (0, 1, 2, 3, 4, 5, 6, 7, 8)
  and o = merge (0 1 2 3 4 5 6 7 8) with
    | 0 -> buffer x0
    | 1 -> buffer x1
    ...
    | 8 -> buffer x8
end
```

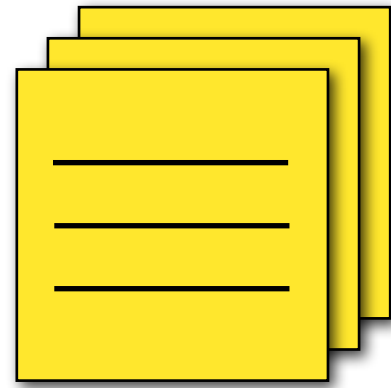
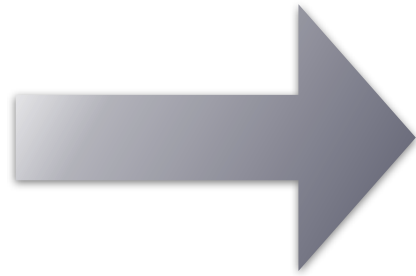
Objectifs de la génération de code

```
void zigzag_step(int x[9], int o[9]) {  
    for (int i = 0; i < 9; i++) {  
        switch(i) {  
            case 0:  
                o[0] = x[i]; break;  
            case 1:  
                o[1] = x[i]; break;  
            case 2:  
                o[3] = x[i]; break;  
            ...  
        }  
    }  
}
```

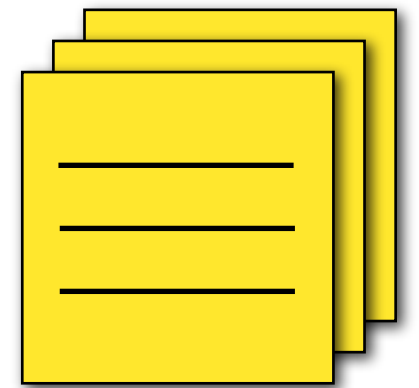
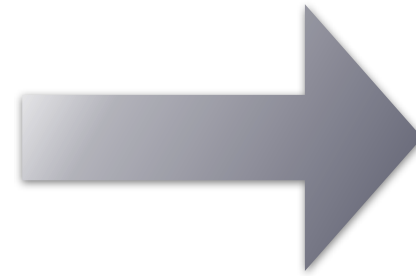
Flot de compilation, en bref



AcidS



NIR



C

Flot de compilation, en bref



Front-end

- Parsing/Scoping/Typage
- Inférence d'horloge
- Analyse de causalité
- Desugaring

Flot de compilation, en bref



Middle-end/Back-end

- Optimisations
- Explicitation format des données & contrôle
- Séquentialisation
- Production de code impératif

Analyse de causalité

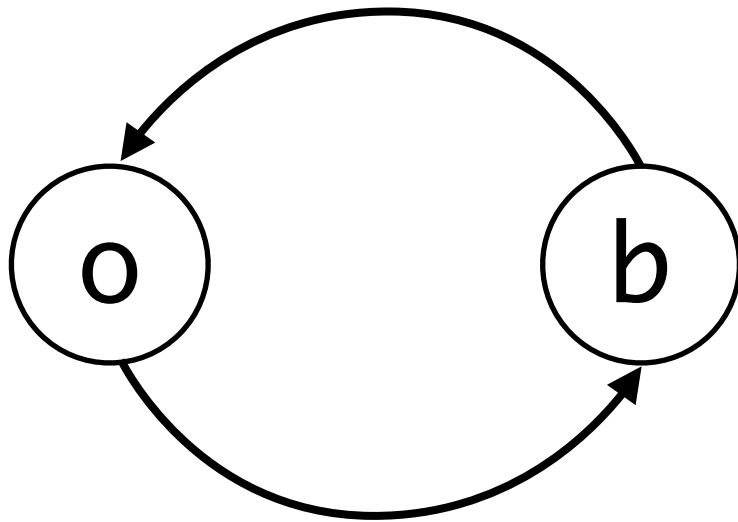
```
let node bad () = o where  
  rec o = b  
  and b = o
```

```
bad :: 'a1 -> 'a
```

Analyse de causalité

Let node $\text{bad } () = \text{o}$ where
rec $\text{o} = \text{b}$
and $\text{b} = \text{o}$

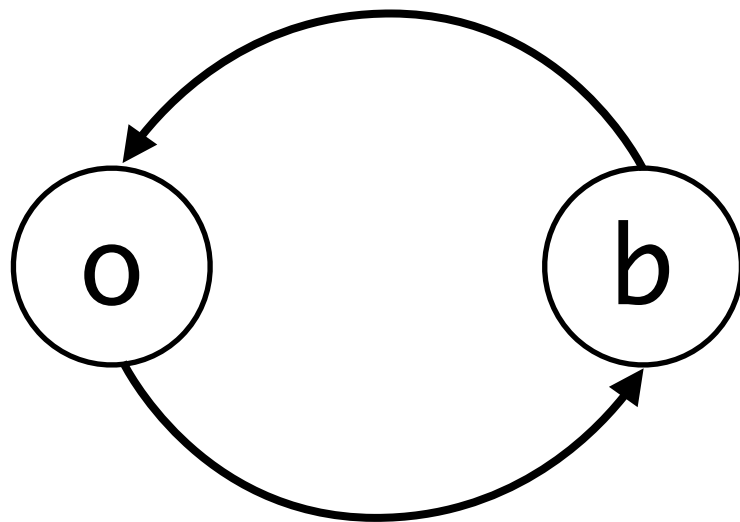
$\text{bad} :: \text{'a1} \rightarrow \text{'a}$



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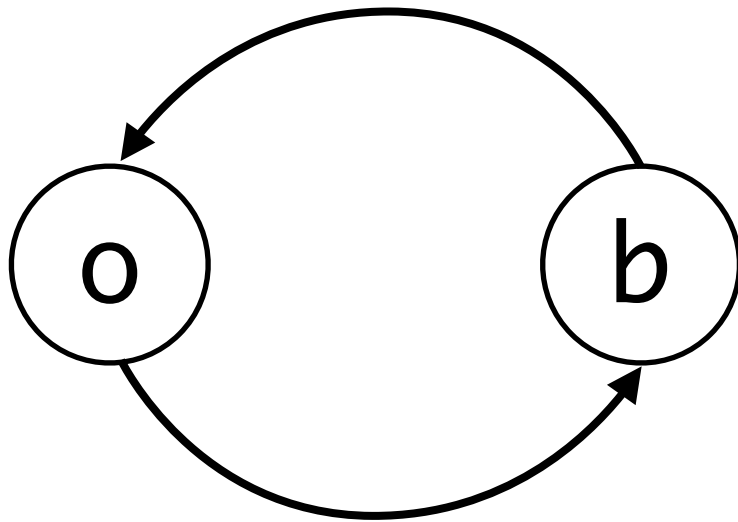


Refusé.

Analyse de causalité

```
let node nat () = o where  
  rec o = merge true(false) 0 b  
  and b = 1 + buffer o
```

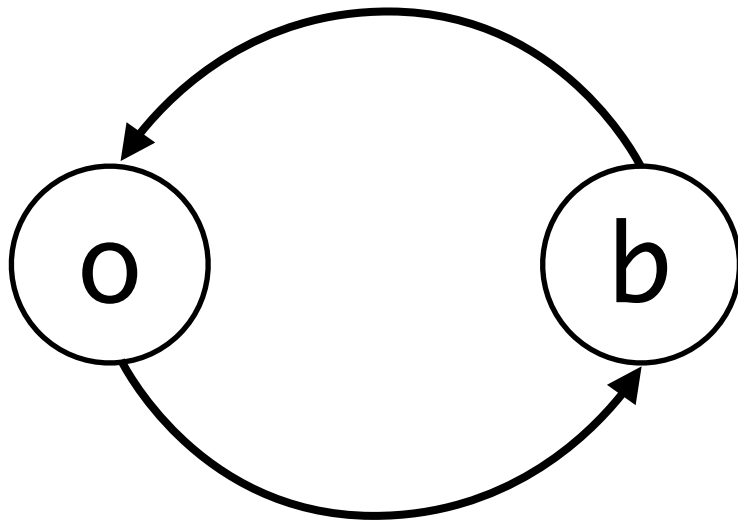
nat :: 'a1 -> 'a



Analyse de causalité

```
let node nat () = o v (1) <<: 0(1)  
rec o = merge true (true) v v  
and b = 1 + buffer o
```

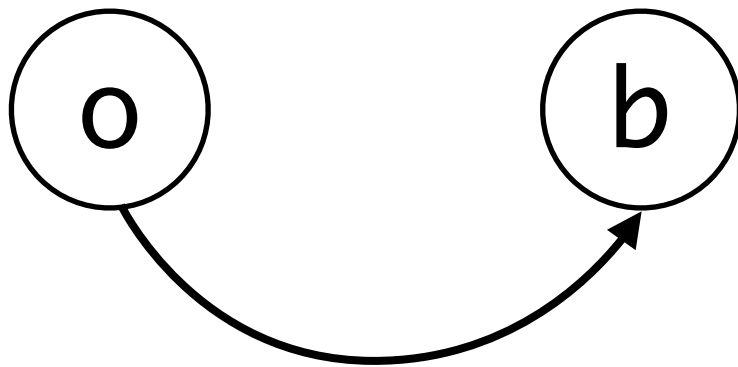
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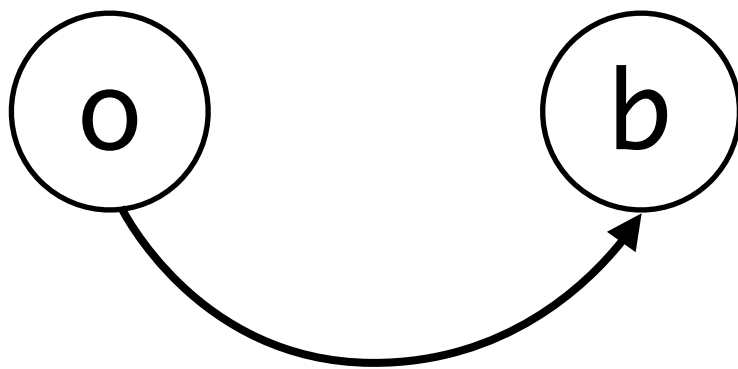
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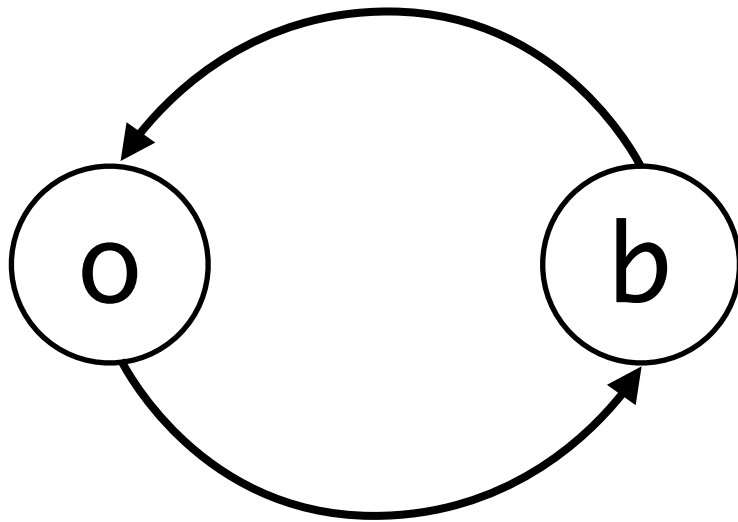


Accepté.

Analyse de causalité

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let node nat () = o where  
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  and b = 1 + buffer o
```

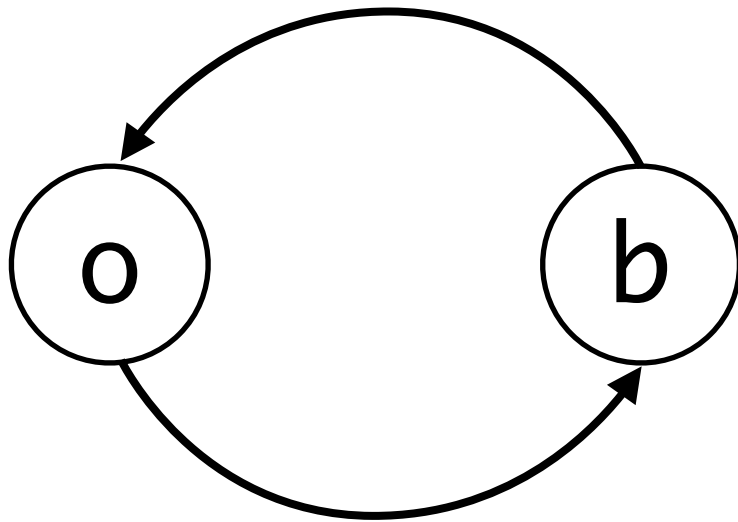
nat :: 'a1 -> 'a on (2)



Analyse de causalité

```
let node nat () = o v (2) <del>: 1(2)  
rec o = merge true (true) v v  
and b = 1 + buffer o
```

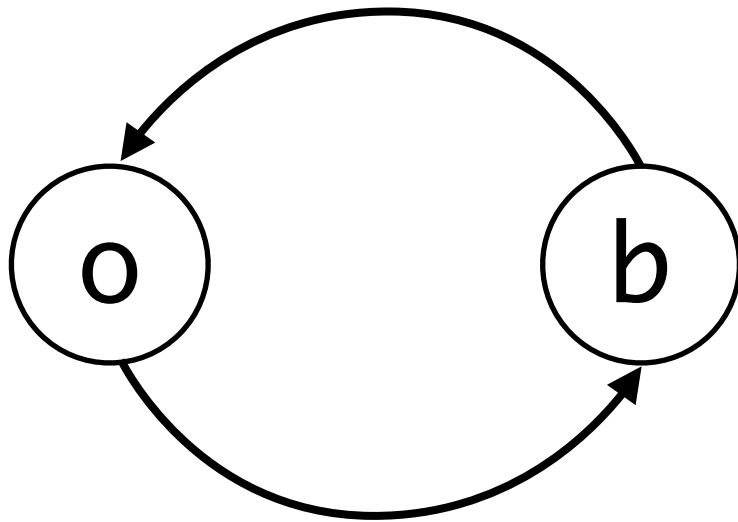
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Analyse de causalité

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let node nat () = o v (2) <del>: 1(2)
rec o = merge true (false) v v
and b = 1 + buffer o
```

nat :: 'a1 -> 'a on (2)



Refusé.

Le compilateur asc en pratique

- Compile un plus gros langage
- Horloges traduites en boucles et tableaux
- Cible C, plus tard VHDL

Le compilateur asc en pratique

- Compile un plus gros langage
- Horloges traduites en boucles et tableaux
- Cible C, plus tard VHDL

État courant

- Front-end fait, y compris clocking et causalité
- Génération de code naïve quasi terminée
- Meilleur clocking et codegen: beaucoup de boulot
- 20 kLoC de code OCaml

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Travail futur

- Beaucoup de boulot sur la résolution de contraintes
- Beaucoup de boulot sur la génération de meilleur code, séquentiel et parallèle
- Beaucoup de boulot sur l'expressivité du langage
- Beaucoup de boulot...

Conclusion

- Un point de vue «langage» sur l'ordonnancement
- De vieux principes dans un nouveau cadre :
 - Typage d'horloge
 - Inférence de boucles et tableaux
- Travaux connexes: *DF, désynchronisation...
- Impossible sans Lustre, Lucid Synchrone, Lucy-n

Conclusion

Merci !

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